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Research on Query Processing Methods for Location-based Services in MANETs

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Abstract

Recently, there has been an increasing interest in mobile ad hoc networks (MANETs), which are comprised solely of mobile nodes. Since no special infrastructure is required, many applications are expected to be developed for MANETs, in various fields such as military affairs, rescue operations at disaster sites, and information sharing at event sites. Location-based services (LBS) are typical applications for MANETs, which are typically composed of a large number of nodes over a wide area. In an LBS, real-time location-specific queries to search for information held by mobile nodes are often used; and in such cases, it is effective to process the queries as $k$ nearest neighbor ($k$NN) queries which acquire the information on $k$NNs from the specified location (query point), and convex hull queries which retrieve the information necessary for calculating the convex hull of all the nodes composing a given network. Although there has been many existing studies for $k$NN search and convex hull detection in networks where there is a central server, there is no research focused on query processing of such queries in MANETs.

MANETs possess notable characteristics, such as limitations on network bandwidth, and dynamic topology change due to the movement of mobile nodes. Therefore, a naïve approach acquiring the information on all nodes within the entire network does not work well because it produces excessive message transmission (i.e., traffic), resulting decrease in the accuracy of the query result due to packet losses. In addition, existing location-specific query processing methods in wireless sensor networks do not work well either because in wireless sensor networks, sensor nodes are stationary or location-aware (i.e., know their own neighbors in advance). In MANETs, it is difficult to accurately know the information on neighboring nodes since the network topology dynamically changes due to the movement of mobile nodes. Therefore, we design query processing methods for reducing traffic and maintaining high accuracy of the query result without knowing neighboring nodes’ information in advance.

Moreover, in an LBS, it is required to search for not only nodes themselves but also data items associated with a given location (location-dependent data). As nodes move in MANETs, data items which have been held by a node since long time ago are likely no longer related to the node’s current location, because these data items are associated
with the node’s former location. In such cases, the query-issuing node cannot effectively search for requested data items using location information. Therefore, new techniques searching for location-dependent data items are required.

In this thesis, we propose \( k \)NN and convex hull query processing methods for LBS in MANETs. This thesis consists of five chapters. First, we introduce the research background and issues for LBS in MANETs in Chapter 1. In Chapters 2 and 3, we address \( k \)NN query processing to search for the \( k \) nearest nodes and for the \( k \) nearest data items, respectively. In Chapter 4, we address query processing for calculating the convex hull of nodes in MANETs and also discuss how to know the convex hull of location-dependent data items in MANETs. Finally, in Chapter 5, we summarize this thesis and discuss our future work.

More specifically, in Chapter 2, we propose two \( k \)NN query processing methods to search \( k \) nearest nodes from the query point in MANETs which can reduce the traffic for query processing, as well as maintain high accuracy of the query result. In our methods, queries are transmitted only to neighboring nodes near from the query point to avoid receiving replies from the nodes far from the query point. More specifically, the query-issuing node first forwards a \( k \)NN query using geo-routing to the nearest node from the query point. Then, the nearest node from the query point forwards the query to other nodes close to the query point, and each node receiving the query replies with the information on itself. Since these methods require neither flooding a \( k \)NN query over the entire network nor knowing other nodes’ information in advance, they can solve the problems faced by the naïve and existing approaches, which are caused by the bandwidth limitation and dynamical changes of network topology. We conduct simulation experiments to verify that our proposed methods reduce traffic and achieve high accuracy of the query result, in comparison with the existing methods.

In Chapter 3, we propose a method for processing \( k \)NN queries that are used to search for the \( k \) nearest location-dependent data items in MANETs. In this chapter, we focus on \( k \)NN search for data items held by nodes unlike the information on nodes as assumed in Chapter 2. This method achieves low traffic and high accuracy of the query result by limiting the search area. To make the search area small, our method keeps data items at the nodes near the locations with which the items are associated, and nodes cache the data items whose associated locations are near to them. A node issues a query and then the neighboring nodes answer to the query by sending back their copies.
without duplicate copies, although each node does not know which data items the other nodes cache. We conduct simulation experiments to verify that our method reduces the traffic involved in processing $k$NN queries, and also achieves high accuracy of the query result.

In Chapter 4, we propose two convex hull query processing methods; Local Convex Hull (LCH) and Local Wrapping (LW) methods, for reducing the traffic for query processing and maintaining high accuracy of the query result in MANETs. More specifically, in the LCH method, the query-issuing node first floods a convex hull query throughout the entire network. Then, each node replies with information on the nodes that are the vertices of its local convex hull. Here, the local convex hull is the convex hull composed of nodes whose information has already been received. In the LW method, to avoid transmitting queries throughout the entire network, the query-issuing node first sends a convex hull query to a node located on the outer boundary of the network, using a geo-routing technique. Then, the query is basically transmitted only to the nodes on the outer boundary and the query path forms a loop. In this way, unnecessary reply transmissions can be suppressed, even if mobile nodes do not know their neighbors in advance. We also show experimental results for verifying that our proposed methods can reduce the traffic for query processing compared with a naïve method, and also achieve high accuracy of the query result.
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Chapter 1

Introduction

1.1 Background

Recent advances in wireless communication technologies such as IEEE 802.11 [29], Bluetooth [69], Zigbee [89], and Wi-Fi Direct [73] have led to an increasing interest in mobile ad hoc networks (MANETs). MANETs are typical type of networks also known as mobile peer-to-peer networks and composed of only mobile nodes [4, 7, 12, 23, 59, 62]. In MANETs, each node plays a role of router. Even if the source and the destination mobile nodes are not within communication range of each other, data packets are forwarded to the destination mobile node by relaying the transmission through intermediary mobile nodes. Since no special infrastructure is required, many MANET-based applications are expected to be developed in various fields such as military affairs and rescue operations (i.e., collaborating works).

Location-based service (LBS) is typical applications for MANETs, which are typically composed of a large number of nodes over a wide area [9, 20, 77]. In an LBS, real-time location-specific queries for information held by mobile nodes are often used; and in such cases, it is effective to process the queries as $k$ nearest neighbor ($k$NN) and convex hull queries for supporting collaborating works in MANETs.

$K$NN queries search for the $k$NNs (i.e., the $k$ nearest nodes or the $k$ nearest data items associated with a given location (location-dependent data)) from the specified location (query point) [5, 15, 16, 18, 21, 32, 61, 63, 76]. By using $k$NN queries, a node can acquire information near the specified location, which helps to, for example,
I want to contact the 3 nearest members from ★.

Figure 1.1: Example of a $k$NN query in a MANET

effectively contact some rescue members near a heavily damaged area in a disaster site in order to request the rescue support. Figure 1.1 shows an example of performing a $k$NN query, where a rescue worker wants to know the three nearest members from a specific location to contact them.

There is another type of location-specific queries, which is convex hull queries that retrieve the information necessary for calculating the convex hull of all the nodes composing a given network. Using convex hull queries, the query-issuing node can determine the convex hull of the network, which helps figure out the network condition in a real time (e.g., the area in which nodes are present, and the farthest pair of nodes). For example, before a node processes a kind of queries, it determines the parameters for the query processing based on the information acquired from the result of a convex hull query (e.g., the maximum distance between nodes in the network). For another example, in a collaborating work, a team leader can give a caution to a node which moves far away from its team members to avoid the spread of members. In such cases, the node does not need to know the shape of the network in details, and thus, the convex hull query is suitable for achieving it. Figure 1.2 shows an application example of a convex hull query in which a rescue worker attempts to determine the convex hull of nodes (team members) in a disaster site in order to do the rescue work efficiently. To the best of our knowledge, this is the first research studying efficient processing of $k$NN and convex hull queries in MANETs, which can promote further development of MANET
1.2. RESEARCH ISSUES

Figure 1.2: Example of a convex hull query in a MANET applications.

1.2 Research Issues

Location-based services, such as $k$NN calculation and convex hull detection, have been addressed in many existing works in various types of networks except for MANETs. Most of the works assume that central servers calculate the answers, and focus on designing fast algorithms. As there is no centralized server in MANETs, existing query processing methods based on a centralized server are not applicable to MANETs.

In this section, we describe three research issues for processing location-specific queries including $k$NN and convex hull queries in MANETs.

1.2.1 Traffic Reduction

In MANETs, since nodes communicate using wireless links where the network bandwidth is limited, the increase of query messages and replies (i.e., traffic) makes packet losses. If packet losses often occur during query processing, the query-issuing node cannot acquire necessary information (i.e., information in an answer set of query processing), which results in decrease of accuracy of the query result.

For example, in a naïve approach, the query-issuing node can calculate the $k$NNs or convex hull by flooding a query in the entire network [53, 54, 70] and receiving
location information on all the nodes. However, many unnecessary replies that are not included in the query result ($k$NNs or vertices of the convex hull) are sent back to the query-issuing node, and thus, the traffic increases (Fig. 1.3). We should avoid acquiring information on all nodes in the network, since it is a wasteful use of network bandwidth and batteries of the mobile nodes and also may degrade the accuracy of the query result due to packet losses.

Therefore, we need to design query processing methods for reducing traffic while preserving the high accuracy of query results [3, 25, 64, 72]. Our approach is as follows: queries are selectively transmitted only to the nodes that have the information (and data items) included in the query result, and the nodes receiving the query accurately prune unnecessary information based on their own information, the query expression (e.g., the size of the search range), and replies from other nodes.

1.2.2 Query Processing without Using Beacons

Many in-network processing techniques for $k$NN queries and boundary detection (e.g., convex hull detection) have been proposed for wireless sensor networks (WSNs) [1, 2, 83] where sensor nodes are stationary or location-aware. For example, in [19, 74, 78], the authors proposed $k$NN query processing methods which are efficient in retrieving $k$NN information on the fly with low message overhead (traffic) since they do not require the maintenance of indexing structures like R-tree. In their methods, location-
1.2. RESEARCH ISSUES

Aware environments are assumed, e.g., mobile nodes must periodically transmit beacon messages (including the location of the sender) to their neighbors to announce changing locations of nodes.

As described above, MANETs possess notable characteristics, such as limitations on network bandwidth, and highly dynamic topology change due to the movement of mobile nodes. When nodes frequently exchange beacon messages to accurately know changing locations of neighboring nodes, traffic increases, and this causes frequent packet losses, resulting in lower accuracy of the query result. On the other hand, when nodes do not frequently exchange beacon messages, traffic is reduced, but nodes cannot accurately know the neighboring nodes’ locations, which also decreases the accuracy of the query result.

Therefore, in MANETs it is desirable to retrieve information without using beacons. In this case, since nodes do not acquire the information on neighboring nodes beforehand, effective message exchanges for acquiring neighboring nodes’ information are required during query processing.

1.2.3 Searching for Location-Dependent Data Items

In an LBS, it is required to search for not only nodes themselves but also data items associated with a given location (location-dependent data). Fig. 1.4 shows a MANET
CHAPTER 1. INTRODUCTION

where rescue workers hold location-dependent data items (e.g., information about victims and damage of buildings) in a disaster site. As nodes move in MANETs, data items which have been held by a node for a long time are likely no longer related to the node’s current location. This is because nodes still hold the data items which are associated with the node’s former location (which is generally apart from the node’s current location due to node mobility). In such cases, the query-issuing node cannot reduce the area for searching for requested data items by using location information (i.e., methods searching for nodes are not directly applicable). Therefore, effective techniques searching for location-dependent data items are required.

Meanwhile, location-dependent data items can be effectively searched if nodes cache some data items as copies, because the query-issuing node may be able to retrieve requested data items from fewer nodes. Therefore, effective caching of data items can reduce traffic and response time in searching [27, 52, 58, 60, 65].

1.3 Research Contents

In this thesis, we propose \( k \)NN and convex hull query processing methods in MANETs which neither acquire all information on nodes within the network nor use beacon, in order to reduce traffic for query processing and maintain the accuracy of query results. The outlines of the proposed methods are as follows.

- Query processing methods for searching \( k \) nearest neighbor nodes

  In Chapter 2, we propose two beacon-less \( k \)NN query processing methods for reducing traffic and maintaining high accuracy of the query result in MANETs. In our methods, queries are transmitted only to nodes that are near the query point to efficiently acquire \( k \)NNs. More specifically, the query-issuing node first forwards a \( k \)NN query to the nearest node from the query point by using beacon-less geo-routing method. Then, the nearest node from the query point forwards the query to other close nodes to the query point, and each node receiving the query replies with the information on itself. Our idea for efficient \( k \)NN collection is to set waiting times before replying, based on the distance from the respective nodes to the global coordinator. In our methods, a designated node aggregates the information in the received replies, and thus unnecessary information is not sent
in reply through a long path to the query-issuing node. In these ways, unnecessary transmissions of queries and replies can be reduced.

- **$k$NN query processing method for location-dependent data**
  In Chapter 3, we address the problem of $k$NN search for location-dependent data, since search targets for $k$NN queries are not only nodes themselves as assumed in Chapter 2 but also location-dependent data items such as information about damage of buildings. Here, because nodes holding data items may move far away from locations where the data items are associated, the methods proposed in Chapter 2 are not directly applicable to $k$NN search for location-dependent data items. Therefore, we propose the method to effectively retrieve the $k$ nearest data items in MANETs. Our method achieves the small search area for query processing by maintaining held data items against nodes’ mobility. More specifically, data items remain at nodes near the locations with which the items are associated, and nodes cache data items whose locations are near their own so that the query issuer can retrieve $k$NNs from nearby nodes, which can achieve low traffic.

- **Convex hull query processing methods**
  In an LBS, it is also effective to achieve efficient query processing for convex hull queries, which retrieve the information necessary for calculating the convex hull of a given network. In Chapter 4, we address the issue of convex hull query processing in MANETs. As we described above, a naïve approach, where the query-issuing node retrieves location information of all the nodes, produces exceedingly large traffic. Therefore, we propose convex hull query processing methods in MANETs for reducing traffic, while maintaining high accuracy of the query result. In our methods, nodes reply with information on only nodes which are vertices of the convex hull, because the convex hull can be calculated solely on the information on nodes which are vertices of the convex hull of the network. When replying, each node selects the vertex nodes based on the location information of the nodes which have already been replied (without beacons). Since the information on nodes which are not vertices of the convex hull of the network is not included in replies, unnecessary traffic can be reduced than the naïve approach.
1.4 Organization of Thesis

This thesis consists of five chapters, and the remainder of the thesis is organized as follows.

In Chapter 2, we propose two beacon-less $k$NN query processing methods for reducing traffic and maintaining high accuracy of the query result in MANETs. In our methods, first the query-issuing node transmits a $k$NN query to the nearest node from the query point (the global coordinator). Then, the global coordinator commences the process of acquiring the information on $k$NNs. In this process, we adopt two different approaches, the Explosion (EXP) and Spiral (SPI) methods to adaptively choose an appropriate method based on some environmental factors such as density of nodes. In the EXP method, the global coordinator floods the $k$NN query to nodes within a specific circular region, and each node receiving the query replies to the global coordinator with the information on itself. Here, the intermediate nodes can aggregate replies from farther nodes. On the other hand, the SPI method does not require specifying the specific region for sending a query message unlike the EXP method. In the SPI method, the global coordinator forwards the query to other nodes in a spiral manner, and the node that collects a satisfactory $k$NN result transmits the result to the query-issuing node. We also conduct simulation experiments to verify that our proposed methods reduce traffic and achieve high accuracy of the query result, in comparison with existing methods. Chapter 2 is based on our works published in [40, 41, 46].

In Chapter 3, we propose the Filling Area (FA) method, to process a $k$NN query which searches for the $k$ nearest location-dependent data items in MANETs. The FA method achieves low traffic and high accuracy of the query result by reducing a search area. To achieve a small search area, the FA method makes data items remain at nodes near the locations with which the items are associated, and nodes cache data items whose associated locations are near them. When a node issues a query, neighboring nodes send back their copies, which will be likely included the query result, with avoidance of duplicate data items being sent back. We also conduct simulation experiments to verify that the FA method reduces the traffic involved in processing $k$NN queries, and also achieves high accuracy of the query result. Chapter 3 is based on our works published in [42, 43, 44, 47].

In Chapter 4, we propose two beacon-less convex hull query processing methods in
1.4. ORGANIZATION OF THESIS

MANETs; the Local Convex Hull (LCH) and Local Wrapping (LW) methods, which perform query processing with low traffic and as well as maintain high accuracy of the query result. In the LCH method, the query-issuing node first floods a convex hull query throughout the entire network. Then, each node replies with information on nodes which are vertices of the local convex hull, which is the convex hull composed of nodes whose information has already been received. In the LW method, to avoid transmitting queries throughout the entire network, the query-issuing node first sends a convex hull query to a node located on the outer boundary of the network, using a geo-routing technique. Then, the query is transmitted only to nodes on the outer boundary, until the query path forms a loop. In this way, unnecessary reply transmissions can be suppressed, even if mobile nodes do not know their neighbors in advance. We also show experimental results verifying that our proposed methods can reduce traffic compared with a naïve method, and also achieve high accuracy of the query result. Chapter 4 is based on our works published in [37, 38, 39].

Finally, in Chapter 5, we summarize this thesis.
Chapter 2

Searching for $k$ Nearest Neighbor Nodes

2.1 Introduction

In LBSs, it is common for nodes to issue $k$NN queries by which they can acquire the information on the $k$ nearest neighbors ($k$NNs) from the specified location (query point). Many in-network processing techniques for $k$NN queries have been proposed for wireless sensor networks (WSNs). The techniques basically assume that nodes exchange beacon messages to accurately know the information on their neighboring nodes. In MANETs, packet losses and packet retransmissions may occur when the network is congested, resulting in information failing to be transmitted. In this sense, the periodic broadcast of beacon messages by nodes causes unnecessary traffic even when no node is searching $k$NNs in the network.

Therefore, in MANETs it is desirable to retrieve $k$NN information without using beacons. In this case, since nodes do not acquire the information on neighboring nodes beforehand, $k$NN query processing requires on-demand acquisition of neighboring nodes’ information. In a naïve approach achieving this, the query-issuing node flooding a $k$NN query over the entire network and every node receiving the query sends back a reply. However, in this approach, the query-issuing node receives many unnecessary replies not included in the result of the $k$NN query ($k$NN result), and thus traffic

\footnote{In MANETs, messages are generally transmitted with connectionless transmission models.}
I want to distribute coupons to the three nearest customers from the Ferris wheel.

Figure 2.1: Example of performing a kNN query in a MANET

increases. Moreover, in MANETs, existing approaches that construct a static logical network (e.g., a query propagation tree) do not work. This is because when the network topology changes during query execution in MANETs, the query-issuing node may not be able to acquire all the information on kNNs.

Figure 2.1 shows an example of performing a kNN query, where an event organizer distributes some coupons to kNNs from a specific location. If the query-issuing node receives replies from all nodes as in the naïve method, it produces a large amount of unnecessary traffic. Moreover, if a static query propagation tree is constructed and a link in the tree is disconnected, the query-issuing node cannot acquire the information on all the k nearest nodes.

In this chapter, we propose two beacon-less kNN query processing methods in MANETs which aim to reduce traffic during query processing and maintain high accuracy of the query result in MANETs. In these methods, the query-issuing node first forwards a kNN query using geo-routing to the nearest node from the query point (global coordinator). Then, the nearest node from the query point forwards the query to other nodes close to the query point, and each node receiving the query replies with the information on itself. In this process, we adopt two different approaches: the Explosion (EXP) method and the Spiral (SPI) method. In both methods, a designated node aggregates the information in the received replies, and thus unnecessary information is not
2.1. INTRODUCTION

sent in reply through a long path to the query-issuing node. In these ways, unnecessary transmissions of queries and replies can be reduced.

In the EXP method (Figure 2.2), the global coordinator floods the $k$NN query to the nodes within a specific circular region centered on the query point. This resembles an ‘explosion’ of the query message from the global coordinator. The size of the circular region is determined based on the density of the nodes in the entire area. If the farther nodes reply earlier with the information on itself to the global coordinator, the intermediate nodes can aggregate replies from farther nodes. Therefore, in the method, the farther nodes from the global coordinator set the lesser waiting time for reply, which is calculated based on the distance between the global coordinator and the node’s location (regardless of other nodes’ location information). After collecting replies from the nodes in the circular region, the global coordinator replies to the query-issuing node with the $k$NN result.

The SPI method (Figure 2.3) does not require specifying the specific region for sending a query message unlike the EXP method because it is difficult to accurately determine the region. In the SPI method, the entire area is dynamically partitioned into a set of hexagonal cells. Here, the center of a hexagonal cell is set to the query point and the size of hexagonal cells is determined based on the communication range of the mobile nodes, and thus, each hexagon is autonomously determined. The global coordinator begins forwarding the $k$NN query to the nearest nodes from the central point of the hexagons which should be visited (local coordinator). Each local coordinator collects the information on all the nodes in its hexagonal cell, and then forwards this collected information with the query to the next hexagon in the spiral. The node that surely collects the $k$NN result transmits the result to the query-issuing node. Each node is aware of the hexagon to which it belongs, solely based on the information in the query ($i.e.$, the query point) and the node’s location. The local coordinator can both acquire the information on nodes within the same hexagon, and determine the next node to which the query should be transmitted. In this method, if there is no node in a given hexagon, a query continues searching to bypass an empty hexagon by passing through neighboring nodes as a detour.

The remainder of this chapter is organized as follows. In Section 2.2, we introduce related work. In Section 2.3, we explain our assumption. In Section 2.4, we present our proposed $k$NN query processing methods. In Section 2.5, we discuss the results of the
2.2 Related Work

2.2.1 KNN Query Processing in Wireless Sensor Network

Many strategies have been proposed for processing $k$NN queries in WSNs [31, 50, 81]. Here, we focus on the most relevant existing studies on WSNs involving features similar to MANETs, such as wireless communication and multi-hop relaying, and discuss the differences in our approach.

In [19, 74, 78], the authors proposed $k$NN query processing methods in location-aware sensor networks based on the query propagation method proposed in [79]. In [74], the authors proposed an infrastructure-free $k$NN query processing method called DIKNN. This method consists of three phases; routing phase, $k$NN boundary estimation phase, and query dissemination phase. In this method, first a sink node sends a query message to the nearest node from the query point. The information on the density of nodes is collected during the query transmission. The nearest node to the query point
estimates the $k$NN boundary which represents a search range, based on the information on the density of nodes, and partitions the area inside the $k$NN boundary into sectors. In each sector, a sensor node collects partial results (the information on the nodes within the node’s communication range) and propagates the query to the next node in the sector according to a well-devised itinerary structure (Figure 2.4(a)). Finally, the partial results are individually sent back from each sector to the query-issuing node, enabling the query-issuing node to acquire $k$NNs. In [19], the authors proposed an infrastructure-free $k$NN query processing method, called PCIKNN, which consists of the same phases as DIKNN’s. This method also sets the $k$NN boundary and partitions it into sectors. With respect to each sector, a sensor node collects partial results along a well-devised itinerary structure, and then, the last node on the itinerary in each sector sends back the information on the nodes in each sector to the nearest node from the query point. After the nearest node from the query point receives the information on the nodes in all sectors, it aggregates the partial results and sends them back to the query-issuing node. In DIKNN and PCIKNN, by partitioning the search range (i.e., the area inside the $k$NN boundary) into sectors, the response time of query execution can be reduced even if the search range is large.

In [78], the authors proposed three methods for processing $k$NN queries in location-aware sensor networks: the GRT, KBT and IKNN algorithms. In the GRT and KBT algorithms, a tree infrastructure composed of sensor nodes is constructed, and a $k$NN query is propagated along it. The SPI method proposed in this chapter is inspired from the IKNN algorithm that propagates a query along a calculated spiral route (Figure 2.4(b)).

However, these all algorithms assume a static or location-aware sensor network. More specifically, each sensor node must precisely know its neighbors (e.g., by frequently exchanging beacon messages), which causes excessive overhead in highly dynamic MANETs.

As described later, to process a $k$NN query without beacons, a node must process it on the fly using only the node’s location information and information in received messages during query processing. In addition, it is necessary to guarantee that the entire range where $k$NNs are present are fully searched and to identify when to finish the search based solely on the information in a query. Our proposed methods are more suitable to the MANET environments, because they are designed to meet these
CHAPTER 2. SEARCHING FOR $K$ NEAREST NEIGHBOR NODES

Figure 2.4: Itinerary structures

requirements.

2.2.2 Geo-routing

In various network research fields, many studies on geo-routing have been conducted [34, 48, 51, 75]. Because our proposed methods use geo-routing, we present typical existing geo-routing protocols.

In [35], the authors proposed GPSR which is a geo-routing method in wireless networks. In this method, a node that received a message forwards the message to the nearest node from the query point among its neighboring nodes. In addition, when a node has no closer node from the query point than itself, the query makes detour in order to avoid an obstacle and a network hole. Therefore, this method enables a message to reach the query point even in the case that a relaying node cannot find any nodes closer to the query point than itself. In [49], the authors proposed GOAFR which is a geo-routing method in MANETs. This method is similar to GPSR but is more adaptive to the worst case such as the case that a relaying node has no closer node.

These methods assume the environment where a node knows its neighboring nodes’ information by broadcasting beacon messages including its location information, and thus, a node can directly forward (unicast) a message to a specific node using that information. However, in MANETs, since the network topology dynamically changes due to the movement of mobile nodes, each node has to frequently exchange beacon messages,
2.3 Assumption

The system environment is assumed to be a MANET in which all mobile nodes have the same radio communication function, or capability, whose communication range is a circle of a fixed radius \( r \) and messages can be exchanged between any pair of nodes. In the MANET, mobile nodes retrieve the information on other mobile nodes using queries without any network infrastructure. The query-issuing node transmits a query message and acquires the information that should be included in the query result (i.e., \( k \)NNs) among all nodes in the entire network.

We assign a unique node identifier to each mobile node in the system. The set of all mobile nodes in the system is denoted by \( M = \{ M_1, M_2, \ldots, M_n \} \), where \( n \) is the total
number of mobile nodes \(^2\) and \(i\) (\(1 \leq i \leq n\)) is a node identifier. Each mobile node moves freely. Every mobile node knows its current location \((x, y)\) using a positioning system such as GPS, where \(x\) and \(y\) are the corresponding longitude and latitude, respectively.

2.4 \(K\)NN Query Processing Methods

In this section, we present how \(k\)NN queries are processed in our methods. In Section 2.4.1, we first present the geo-routing method for transmitting a query to the global coordinator (used in both the EXP and SPI methods). In Sections 2.4.2 and 2.4.3, we explain the details of the EXP and SPI methods, respectively. Finally, in Section 2.4.4, we discuss our methods in terms of the node mobility, nodes’ appearance and disappearance, and the setting of the search range for \(k\)NNs.

2.4.1 Geo-routing for Forwarding a Query

To dynamically construct a route to the query point, we extend a beacon-less geo-routing method proposed in [28] to avoid the construction of multiple routes to forward messages. Our geo-routing method adopts a three-way handshake protocol to enable a given node to find the node nearest to the query point among its neighboring nodes, and then send a query to this node. By repeating this procedure, the query is forwarded to the global coordinator.

Specifically, in our geo-routing method, first the query-issuing node broadcasts a neighbor search message. When a node receives this message, if it is closer to the query point than the source node, and within the neighbor search range which is a circular region centered on the source node (discussed below), it stores the ID of the source node as the parent node and sets the waiting time \(t\) for sending a reply, according to the following equation:

\[
t = \frac{t_m(\alpha - z)}{\alpha}, \tag{2.1}
\]

\(^2\)In this chapter, we assume each node knows \(n\) for simplicity. For example, in a rescue operation in a disaster, each member can know the number of members, and in an event site, the event organizer can know the number of customers within the event area. However, in a real environment, it is not always easy to know such information in advance. Therefore, it is useful to remove this assumption (discussed in Section 2.4.4).
2.4. \textit{KNN QUERY PROCESSING METHODS}

where \( t_m \) is a positive constant specifying the maximum waiting time before sending a reply, \( \alpha \) is the radius of the neighbor search range, and \( z (\in R^+) \) is the distance between the source node’s location and the foot of the receiving node’s perpendicular to the line from the source node to the query point (see Figure 2.5). Since \( t \) is set by the nodes within the neighbor search range (i.e., \( \alpha \geq z \)), \( t \geq 0 \). We define the neighbor search range in order to utilize a constructed path to forward a query for the reply. If the neighbor search range is set equal to the communication range, there will be frequent link disconnections between nodes and their parents during query processing, i.e., the chances for utilizing the constructed path decrease. Therefore, the neighbor search range must always be smaller than the communication range. Here, it is difficult (but unnecessary) to appropriately determine the size of the neighbor search range. If the source nodes know the mobility of other nodes, they can construct a stable path for the reply. However, acquiring such information produces large traffic. Moreover, it is not always easy to know (estimate) the node mobility (i.e., the topology during the reply) in advance, since nodes freely change the mobility speed and direction. Therefore, in this method, the radius of the neighbor search range \( \alpha \) is determined based on the maximum speed of the source node \( v_m \). The maximum distance that the node moves during a query transmission \( X \) is calculated as \( X = v_m W \), where \( W \) is the search time. Thus, if the radius of the neighbor search range is equal to the communication range minus \( X \), the query path is available unless the nodes move \( X \) away from their own parents during a query transmission. Note that our method works well even if \( \alpha \) is roughly defined. This is because the node can return the results using geo-routing once again even if a link disconnection between the node and its parent occurs.

According to Equation (2.1), nodes closer to the query point transmit reply messages after shorter waiting times. Thus, the node with the minimum \( t \) is the first to transmit a reply message to the source node of the neighbor search message. The nodes that received this reply stop sending a reply if they wait for sending a reply during their own \( t \). The source node of the neighbor search message, having received reply messages from its neighbors, sends a (forwards the) \( k \)-NN query message only to the node that first sent the reply. The node that receives the forwarded \( k \)-NN query broadcasts a neighbor search message. Finally, if the node that sends a neighbor search message does not receive any reply message when the query point is within its communication range, it recognizes itself as the global coordinator and begins acquiring \( k \)-NNs. In this way, the
query-issuing node can forward a $k$NN query to the global coordinator with little traffic, because the geo-routing method requires neither beacon messages nor the construction of multi-paths.

During the execution of the geo-routing method, each mobile node can recognize its parent. Therefore, nodes can utilize the constructed path to forward a query for the reply. Because a node’s parent is selected from nodes within the neighbor search range, link disconnections between nodes and their parents rarely occur (only when the nodes move more than $v_mW$ from their own parent during query processing). Thus, this geo-routing method is suitable for query processing in highly dynamic MANETs.

Figure 2.6 shows an example of forwarding a query message using our geo-routing method, when $M_1$ issues a $k$NN query. $M_1$ transmits a neighbor search message to its neighboring mobile nodes. On receiving the message, $M_2$ and $M_3$ respectively set their $t$. Since $M_4$ is not within the neighbor search range, it ignores the message. Since $M_5$ is farther from the query point than $M_1$, it also ignores the message. $M_2$, with the minimum $t$, is the first to transmit a reply message to $M_1$, when its $t$ has passed. $M_1$, on receiving the reply message from $M_2$, forwards the $k$NN query to $M_2$. $M_3$, which received the reply message from $M_2$, makes no reply to $M_1$. Then, $M_2$ transmits a neighbor search message in the same manner as $M_1$. Finally, $M_6$, which is the nearest to the query point (the global coordinator), receives the $k$NN query.
2.4. **KNN QUERY PROCESSING METHODS**

2.4.2 Forwarding a $k$NN Query and Returning the Result: Explosion (EXP) Method

**Concept of EXP method**

There must be $k$NNs within the circle centered on the query point and whose radius is decided based on the estimated distance between the query point and the $k$-th nearest node from the query point. However, it is difficult to accurately determine the optimal radius of this circle, because nodes do not know the locations of other nodes beforehand. If the query-issuing node liberally estimates the radius of the circle, it can acquire the accurate $k$NN result with high probability. However, if every node within this expansive circle replies with its information to the query-issuing node, unnecessary replies (from nodes that are in the circle but are not $k$NNs) are sent back through long paths to the query-issuing node.

To solve this problem, in our methods the global coordinator first collects the information on all nodes within the circle, and then sends the aggregated result to the query-issuing node. By doing so, a query and its replies are transmitted with small hop-counts, which helps to reduce the traffic. Here, in order for the nodes in the circle to efficiently aggregate the node information, individual nodes should not send replies separately, but should relay replies from nodes farther from the query point to closer nodes. However, since nodes do not know other nodes’ locations, it is difficult to achieve this.
Thus, our idea is to set waiting times before replying, based on the distance from the respective nodes to the global coordinator. Specifically, by setting shorter waiting times for nodes further from the global coordinator, closer nodes have more chance to relay or overhear and aggregate others’ replies.

We show here the theoretical analysis for verifying cost-efficiency of the EXP method. If packet losses do not occur and the estimated $k$NN circle is accurately set, i.e., just $k$ nodes exist in the circle, the expected traffic in the EXP method $E$ is calculated as follows:

$$E = (\text{Traffic for query transmission to the global coordinator})H$$

$$+ (\text{Traffic for acquiring information on } k\text{NNs})k$$

$$+ (\text{Traffic for reply to the query-issuing node})H,$$

$$= (4I + 6c)H + (2I + 8c + IH')k + (I + 2c + kI)H,$$

$$= ((2 + H + H')I + 8c)k + (5I + 8c)H,$$  \hspace{1cm} (2.2)

where $H$ is a hopcount from the query-issuing node to the global coordinator, $H'$ is an average hopcount from the nodes within the estimated $k$NN circle to the global coordinator, $I$ is the byte size of nodes’ location information, and $c$ is the byte size of nodes’ ID. Note that the upper bound of the traffic in the EXP method equals $eE$, where $e$ is the number of message retransmission due to packet losses which is a system parameter. As Equation (2.2) shows, the traffic in the EXP method is proportional to $k$. Here, $H$ and $H'$ are basically calculated based on the communication range and the area size, but the number of nodes in the entire network is not related to $E$. Therefore, the EXP method can work well regardless of the network density, if the estimated $k$NN circle is accurately set.

**Query Processing**

The behavior of the query-issuing node, $M_s$, and of mobile nodes receiving the query message, is as follows.

1. $M_s$ specifies the requested number of $k$NNs, $k$, and the query point. Then $M_s$ determines the radius of the estimated $k$NN circle, $R$, based on the entire area
2.4. \textit{KNN} QUERY PROCESSING METHODS

size, the total number of nodes in the area, and \(k\), by the following equation:

\[
R = \sqrt{\frac{k s}{\pi n}},
\]  

(2.3)

where \(n\) is the total number of nodes in the entire network, and \(s\) is the area size.

2. \(M_s\) transmits a \(k\)NN query message to the nearest node from the global coordinator, using the geo-routing method described in Section 2.4.1. In the query message, the query-issuing node’s ID and location are set as \(M_s\) and its location, respectively, the requested number of \(k\)NN is set as \(k\), the radius of the estimated \(k\)NN circle is set as \(R\), and the query point is set as the location specified by the query.

3. By the process described in Section 2.4.1, the global coordinator, \(M_p\), is selected. Then, \(M_p\) broadcasts a local query message to its neighboring mobile nodes. In the message, the requested number of \(k\)NNs is set as \(k\), the radius of the estimated \(k\)NN circle is set as \(R\), the query point is set as that in the received query message, and the global coordinator’s ID and location are set as \(M_p\) and its location, respectively.

4. Each mobile node, \(M_q\), that initially receives the local query message stores the identifier of the source node, \(M_p\), as its \textit{EXP parent}. If \(M_q\) is within the estimated \(k\)NN circle, it sets the waiting time \(T\) for sending a reply, according the following equation:

\[
T = \frac{\beta R}{r} \left(1 - \frac{a}{R + b}\right),
\]  

(2.4)

where \(a\) is the distance between \(M_p\) and \(M_q\), \(b\) is the distance between the query point and \(M_p\), \(\beta\) is a parameter specified by a system designer to avoid message collision, and \(r\) is the communication range. As Equation (2.4) shows, \(T\) decreases as the distance between \(M_p\) and \(M_q\) increases.

At the same time (without waiting \(T\)), \(M_q\) broadcasts a local query message to its neighboring mobile nodes.

If \(M_q\) has already received a local query message, or is not within the estimated \(k\)NN circle, it discards the message and does nothing.
5. The node that has set the least $T$ begins to transmit a reply message (after waiting $T$) with the information on itself, including its location, to its EXP parent. This attached information is called the tentative $k$NN result.

6. Each node that receives the reply message (from its EXP child) updates the tentative $k$NN result included in the reply message, by adding the information on itself. If the number of nodes whose information is included in the tentative $k$NN result exceeds $k$, the information on the node farthest from the query point is removed from the tentative $k$NN result.

   When $T$ has passed, if the node is not the global coordinator, it transmits a reply message, including the updated tentative $k$NN result, to its EXP parent, and the procedure returns to Step 5. If the respective node is the global coordinator, the procedure goes to Step 7.

7. When $T$ has passed, $M_p$ replies, with the updated tentative $k$NN result as the final $k$NN result, to the query-issuing node, along the same path through which the query message was sent from the query-issuing node to $M_p$. If a link disconnection occurs along the path, the node that detects the disconnection transmits the reply using the geo-routing method described in Section 2.4.1, where the query point is set as the location of the query-issuing node.

   Figure 2.7 shows an example of executing the EXP method, where $M_1$ is the global coordinator; and Figure 2.8 shows a flow diagram of the query processing. When $M_5$ receives a local query message from $M_1$, it stores $M_1$’s ID as its EXP parent, and broadcasts a local query message to its neighboring nodes because it is within the estimated $k$NN circle. In the same way, on receiving the query message, $M_6$ stores $M_5$’s ID as its EXP parent, and broadcasts a local query message to its neighboring nodes. In contrast, $M_7$, on receiving the query message, discards the message because it is not within the estimated $k$NN circle. When $T$ has passed at $M_6$, $M_6$ transmits a reply message, including $M_6$’s information, to $M_5$. On receiving this message, $M_5$ transmits a reply message, including both its and $M_6$’s information, when $T$ has passed. Such procedures are performed throughout the entire MANET, until finally $M_1$ acquires the information on all nodes within the estimated $k$NN circle. When $T$ has passed at $M_1$, it transmits the $k$NN result to the query-issuing node.
2.4. $k$NN QUERY PROCESSING METHODS

The EXP method can reduce the traffic required for collecting the $k$NN result, because the tree structure is dynamically constructed during transmissions of local query messages (by changing the waiting time based on the nodes’ positions), and the information of nodes only in a specific region (the estimated $k$NN circle) is efficiently collected along the tree. However, in this method, the value of radius $R$ must be appro-
appropriately set. If $R$ is set too low, the information on some $k$NNs may not be acquired; while if $R$ is set too high, the traffic increases unnecessarily due to the transmission of needless information. Our approach to determining $R$ is based on the density of nodes in the entire MANET. However, in a real environment, it is not always easy to know the total number of nodes in the entire MANET, and the area size, in advance. Moreover, the density of nodes is generally not uniform in a MANET.

2.4.3 Forwarding a $k$NN Query and Returning the Result: Spiral (SPI) Method

Concept of SPI method

As noted in Section 2.4.2, it is difficult to accurately determine the optimal (minimum) radius of the circle which includes $k$NNs, i.e., excessive traffic and lacks of the information included in the result may occur. Therefore, a method to obtain $k$NNs without specifying the circle is needed. For this aim, we adopt the strategy of visiting nodes in a spiral manner by following the idea of the IKNN algorithm in [78]. Our strategy aggregates the information of the nodes while a query travels in a single path. It can halt the query process at an appropriate time. The unnecessary information is removed during the query traversal. We explain reasons in detail why we choose single path transmission in a spiral pattern.

(i) Initial stipulation of a search range is not needed.

In the existing methods including the EXP method, in which the search range is determined in advance based on the local information, misestimation of the search range degrades the performance. In contrast, since spiral propagation gradually extends the range without initial stipulation of the search range, it involves no risk of such misestimation.

(ii) Queries can search nodes in order of increasing distance from the node’s location to the query point.

An efficient approach involves initially searching for nodes near the query point, and then gradually extending the range to acquire information on farther nodes. This avoids unnecessary extension of the search range. A spiral propagation pattern is suitable for this approach. The existing methods [19, 74, 78] also utilize the spiral propagation
2.4. \textit{KNN} QUERY PROCESSING METHODS

(iii) The node which acquires \(k\)NNs appropriately initiates a reply to the query-issuing node.

In the SPI method, the node that (i) acquires the information on at least \(k\) nodes and (ii) ensures that the search so far has fully covered a circular range containing \(k\) nodes centered on the query point, can initiate a reply to the query-issuing node. In the existing methods [19, 74, 78], the query is replicated and multiple queries are processed in parallel to reduce the response time. However, it is difficult to judge when the search is over, because queries cannot know how many nodes other queries have searched so far. In contrast, spiral propagation presents no such difficulty.

(iv) Radio interference can be suppressed.

In the SPI method, \(k\)NNs are acquired by a single path in order to avoid radio interference; whereas, in the existing methods, multiple queries are processed in parallel, and the accuracy of the query result may decrease due to the resulting radio interference.

\textbf{Partition of the Area}

According to the above policy, in the SPI method, the entire area is partitioned into a set of hexagonal cells and the \(k\)NN query is forwarded in a spiral manner through a series of hexagonal cells. Because the communication range has a basically circular shape, it is efficient to partition the area into hexagonal rather than triangular or quadrangular cells. More specifically, by appropriately setting the size of the hexagonal cell (as described in the next paragraph), a query can acquire the information of all nodes within each cell with one-hop message exchange, and then pass on to the next cell.

The entire area in which mobile nodes are present is uniformly divided into hexagonal cells so that the query point locates at the centroid of a cell. To guarantee that all mobile nodes in a hexagonal cell can receive messages sent by nodes in the same cell, we set the circumradius of each hexagonal cell as half the radius of the communication range. Here, as described in section 2.3, we assume that each node knows the radius of the communication range, which is the same for all nodes. The hexagonal cells covering the entire area are uniquely determined. Each node autonomously determines to which hexagon it belongs, based on its location and the location of the query point included in the query message.
In the SPI method, when a node surely collects the information on $k$ NNs, it transmits a reply message to the query-issuing node. Therefore, if there are $k$ NNs within the circumscribed circle of the hexagonal cell which includes the query point, it is not necessary to transmit the $k$ NN query to other hexagonal cells. If there are less than $k$ nodes in the cell, the $k$ NN query is transmitted (as necessary) to a series of concentric rings of hexagonal centered on the query point cell. Here, we define the hexagonal cell that includes the query point as the 0 lap hexagonal cell, the first concentric ring of hexagonal cells as the 1st lap (hexagonal cells), the second concentric circle as the 2nd lap, and so on. Each $n$-th lap hexagonal cell’s ID is defined as $h(n,i)$ ($i=0, \cdots, 6n-1$), and $i$ denotes the number given to the $i$-th hexagonal cell in a clockwise direction.

Figure 2.9 shows an example of partitioning the area into a set of hexagonal cells and a typical query path through the structure, respectively. The center point of hexagonal cell $h(0,0)$ corresponds to the query point, and the dotted circle indicates the circumscribed circle of the corresponding hexagonal cell whose diameter equals the radius of the communication range. The 1st lap hexagonal cells with IDs $h(1,0)$ to $h(1,5)$ circumscribe to the 0 lap hexagonal cell $h(0,0)$. A query is forwarded from hexagonal cell $h(0,0)$, and travels through the 1st lap hexagonal cells, then the 2nd lap hexagon cells, in order.
2.4. KNN QUERY PROCESSING METHODS

Query Processing

In the SPI method, a $k$NN query is transmitted to a series of hexagonal cells (as described in Section 2.4.3). The behavior of the query-issuing node, $M_s$, and the mobile nodes receiving the query message is as follows.

1. $M_s$ specifies the requested number of $k$NNs, $k$, and the query point, and transmits a $k$NN query to the global coordinator using the geo-routing method described in Section 2.4.1. In the query message, the query-issuing node’s ID and location are set as $M_s$ and its location, respectively, the requested number of $k$NNs is set as $k$, and the query point is set as the location specified by the user.

2. Through the process described in Section 2.4.1, the global coordinator, $M_p$, which locates within the 0 lap hexagon, is selected. $M_p$ is called the local coordinator of the 0 lap region. $M_p$ broadcasts a local query message to its neighboring mobile nodes. In the local query message, the query point is set as that in the received query message, the hexagon ID is set as $h(0,0)$, and the source node’s location is set as $M_p$’s location.

3. Each mobile node, $M_t$, which receives the local query message, transmits a reply message to the source node (local coordinator) if $M_t$ is within the circumscribed circle of the hexagon corresponding to the hexagon ID in the received message. In the reply message, it includes the information on itself (its location and ID ($M_t$)).

4. $M_t$ stores the query point and hexagon ID in the received message. Then, it calculates the center position of the hexagon which should be visited next. If $M_t$ is closer to the center of the next hexagon than to that of the source node, it sets the waiting time $T$ for sending a query request message (described in Step 6) according to the following equation:

$$T = \frac{t_m h}{r} + \gamma,$$  (2.5)

where $t_m$ is a positive constant specifying the maximum time before sending a query request message, $h$ is the distance between $M_t$’s location and the center of the hexagon which should be visited next, $r$ is the radius of communication range, and $\gamma$ is a margin of time for the local coordinator (source node) to receive.
replies from its neighbors. As Equation (2.5) shows, $T$ decreases with decreasing distance between $M_t$ and the center of the next hexagon.

When $T$ has passed at $M_t$, it transmits a query request message, including its own ID, to the local coordinator.

5. The local coordinator receiving the reply messages from its neighboring nodes updates the tentative $k$NN result by adding the information in the received messages.

If the number of the information on nodes included in the tentative $k$NN result exceeds $k$, the information on nodes which are not $k$NNs from the query point is removed from the tentative result. Furthermore, if the local coordinator belongs to the last hexagon in the current lap, i.e., $h(n, 5n) (n \in \mathbb{N})$, the procedure goes to Step 9.

6. When the local coordinator receives a query request message for the first time, it transmits a query forwarding message to the sender of the request message. This message includes the information on the requested number of $k$NNs, $k$, the query point, the query-issuing node’s ID $M_s$ and its location, and the tentative $k$NN result. Meanwhile, the other nodes that receive the query request message stop sending query request messages.

7. The node that receives the query forwarding message becomes the new local coordinator. If it is within the hexagon which should be visited next, it broadcasts a local query message to its neighbor nodes, and the procedure returns to Step 3. If it is not within the next hexagon, it cannot collect the information in that hexagon, thus, it does not broadcast a local query message, but instead broadcasts a coordinator search message to its neighbor nodes.

8. Each mobile node $M_d$ which receives the coordinator search message, stores the query point and hexagon ID in the received message. Then, it calculates the center positions of the hexagons which should be visited next and next but one. If $M_d$ is (i) within the circumscribed circle of the next hexagon, or (ii) it is closer to the center of the next but one hexagon than that of the source node, it sets the waiting time $T$ before sending a query request message (described in Step 6) according to
the following equation:

\[ T = \begin{cases} \frac{tmh_i}{r} & \text{if (i)}, \\ tm(1 + \frac{h_{ii}}{r}) & \text{otherwise}, \end{cases} \]  

(2.6)

where \( t_m \) is a positive constant specifying the maximum time before sending a query request message, \( h_i \) is the distance between \( M_d \)'s location and the center of the next hexagon to be visited, \( h_{ii} \) is the distance between \( M_d \)'s location and the center of the next but one hexagon to be visited, and \( r \) is the radius of the communication range. As Equation (2.6) shows, \( T \) becomes smaller as the distance between \( M_d \) and the center of the next hexagon decreases, and as the distance between \( M_d \) and the center of the next but one hexagon decreases. Here, if \( M_d \) does not meet the criteria, it discards the message.

When the \( T \) has passed at \( M_d \), the node transmits a query request message, including its ID, to the local coordinator. The procedure goes to Step 6.

9. The local coordinator replies, with the tentative \( k \)NN result as the final result, to the query-issuing node using the geo-routing method described in Section 2.4.1, where the query point is set as the location of the query-issuing node. If the local coordinator or a relaying node incidentally knows a node on the query path from the query-issuing node to the global coordinator, it forwards the \( k \)NN result to this node, and the \( k \)NN result is sent back to the query-issuing node along the query path. If some nodes along the query path do not connect with their parents due to link disconnection, the local coordinator or relaying node again transmits the \( k \)NN result using the geo-routing method.

Figure 2.10 shows an example of executing the SPI method, where \( M_1 \) is the global coordinator, and Figure 2.11 shows a flow diagram of the query processing. First, \( M_1 \) broadcasts a local query message to its neighboring nodes. When \( M_2 \) and \( M_3 \) receive a local query message from \( M_1 \), they reply with their information to \( M_1 \) as a local reply because they are within the same hexagon as \( M_1 \). On receiving the local replies from \( M_2 \) and \( M_3 \), \( M_1 \) stores the information on itself, \( M_3 \), and \( M_3 \) as the tentative \( k \)NN result. \( M_4 \), on receiving the query message from \( M_1 \), transmits a query request message to \( M_1 \) when \( T \) has passed. When \( M_1 \) receives this message from \( M_4 \), \( M_1 \) transmits a query
message with the information on $M_2$, $M_3$, and itself. Such procedures are performed in all hexagons on the 1st lap, and finally $M_{13}$ acquires the information on $k$NNs and initiates a reply to the query-issuing node.
2.4. \textit{K}NN QUERY PROCESSING METHODS

The SPI method expands the searching area until a node surely collects the information on $k$NNs. Therefore, it is not necessary to set the searching area (i.e., $R$ in the EXP method) in advance. We use “surely” when a query acquires the information on equal to or more than $k$ nodes, and searches the whole circle area centered on the query point, and whose radius is the distance between the query point and the $k$-th farthest node from the query point among all searched nodes. Actually, the query-issuing node should be able to acquire the information on correct $k$NNs in most cases. However, due to message collisions, the query-issuing node may not always find $k$NNs.

Here, the SPI method can address situations in which no node is present in a hexagon through the transmission of a coordinator search message. If there is no node in a given hexagon, a query continues searching to bypass an empty hexagon by passing through neighboring nodes as a detour. Specifically, if $M_{iw}$ (which sent a local query message) receives no query request message (e.g., there is no candidate in the next hexagon among the neighbors), after a given time it sends a coordinator search message to find the next local coordinator. After that, each node follows the regular procedures. Thus, the SPI method can resolve the problem. If, due to a network partition, $M_{iw}$ does not receive the message from any nodes by $2.5t_m$ after sending the coordinator search message, a query discontinues searching.

The SPI method is typically time-consuming to forward a query, and thus significant response time is involved when a query must traverse a large number of hexagons. In such a situation, the network topology may change during the execution of this method, which results in changes in the $k$NNs. Therefore, it may be difficult to maintain high accuracy of the query result \footnote{Note that even if the accuracy of the query result does not reach 1, some applications, such as the distribution of coupons or advertisements in a city or event site, are still suitable.}

\subsection*{2.4.4 Discussion}

\textbf{Node Mobility}

Given the nodes’ mobility in MANETs, it is more efficient to dynamically construct a query path than to construct a static path in advance, and our methods involve such dynamic construction. Specifically, in our geo-routing method, which uses three-way
handshakes without exchanging beacon messages, nodes select the next hop using the neighbor search range, taking into account node mobility. Thus, a link disconnection between a given node and its parent does not occur very often; and if such a disconnection occurs, the node can reply (with the $k$NNs) to the query-issuing node by using geo-routing once again. In our simulation experiments, the graphs regarding node speed (Figure 2.14(c)) show that our methods can maintain high accuracy of the query result, even when nodes move fast (up to 20.0[m/s], i.e., 72[km/h], which implies that some nodes are high-speed vehicles).

**Appearance and Disappearance of Nodes**

In this chapter, we do not incorporate the appearance and disappearance of nodes during query processing. If a query-relaying node disappears during query processing, the acquired result may be lost. However, such a situation can be easily avoided by assigning a neighbor as an alternative coordinator and passing the result to this neighbor. We will design the concrete algorithm in our future work. We should also note that such appearance and disappearance rarely occurs during query processing in our methods, because query processing (response time) is quite brief (roughly a few seconds).

**Estimated $k$NN Circle in the EXP method**

The EXP method determines the search range (estimated $k$NN circle) as it simply supposes that nodes are uniformly distributed while it is not always true in a real environment. Even if nodes are not evenly distributed, the EXP method is executable (can work). Of course, in such a situation, the estimated $k$NN circle is not very accurate, and thus, its performance may degrade.

Specifically, if the estimated $k$NN circle in the EXP method contains less than $k$ nodes due to misestimation, the accuracy of the query result decreases because the information on the remaining $k$NNs is not resought. However, the EXP method can easily adapt to this situation. When it acquired less than $k$ nodes, the global coordinator could replace the circle with a larger one, and search again. Another approach to adapt to a network whose node density is not uniform is to estimate the density of nodes near the query point before spreading a query. For example, in [45], we proposed the EXP based methods for $k$NN query processing in MANETs where the density of nodes is ununi-
form; the One-Hop (OH) and Query Log (QL) methods. These methods can set the size of the estimated $k$-NN circle more appropriately using the information acquired during the query execution even if each node cannot know the information on the area size and the total number of nodes beforehand, and the density of nodes in the entire network is not uniform. In the OH method, the nearest node from the query point acquires its neighbors’ location and then determines the size of the estimated $k$-NN circle. On the other hand, in the QL method, a node which relays a reply of a $k$NN query stores the information on the query result for future queries. During query forwarding, the query-issuing and query-relaying nodes attach some of the stored information to the query, which is used to estimate the density of nodes near the query point.

Many applications require high accuracy of the query result. However, even if the accuracy of the query result does not reach 1, some applications, such as the distribution of coupons or advertisements in a city or event site, are still suitable. In the simulation experiments in this chapter, we use the “MAP value” to measure the accuracy of the query result, because the answers with a higher rank are more important than those with a lower one in a $k$NN search. In particular, when the accuracy of the query result does not reach 1, the answers generally do not include the information on nodes with a low rank, due to node movement and inhomogeneous density. Moreover, query processing by repetition, or a large estimated $k$NN circle, with the aim of achieving perfect accuracy of the query result, performs poorly in terms of traffic and delay. In addition, it is difficult to achieve perfect accuracy of the query result because nodes move freely, which causes variations in distance between node locations and the query point (i.e., the $k$NNs dynamically change). That is why we aim to balance between accuracy and traffic, rather than achieving perfect accuracy with too much (unacceptable) overhead.

## 2.5 Simulation Experiments

In this section, we discuss the results of simulation experiments evaluating the performance of our proposed methods. For the simulation experiments, we used the network simulator, QualNet4.0[66].
CHAPTER 2. SEARCHING FOR K NEAREST NEIGHBOR NODES

2.5.1 Simulation Model

The number of mobile nodes in the entire system is \( n (M_1, \ldots, M_n) \). These mobile nodes are present in an area of 1,000[m] \( \times \) 1,000[m], and move according to the random waypoint model [8], with a movement speed and pause time of from 0.5 to \( v \)[m/sec] and 3[sec], respectively. Note that we also conducted simulations with other mobility models: the random walk and random waypoint models with a home area. In the latter model, the entire area is partitioned into four square regions of equal size, and each node selects its next destination either from the region in which it resides (90% probability) or from another region (10%). The results show that our proposed methods achieve roughly the same performance in all the three mobility models, and the differences in performance between our methods and comparative methods are almost same in the three mobility models. Thus, we only show here the results with the random waypoint model.

Mobile nodes transmit messages using an IEEE 802.11b device with a data transmission rate of 11[Mbps]. The transmission power of the mobile nodes is determined such that the radio communication range is about 100[m]. Messages are transmitted via UDP. Packet losses and delays occur due to radio interference. We assume that each node knows its current location. The query point specified by a \( k \)NN query is (500, 500). The \( t_m \) in Equations (2.1) and (2.5) is set at 0.1 based on our preliminary experiments, so that our methods achieve good performance. \( \alpha \) in Equation (2.1), \( \beta \) in Equation (2.4), and \( \gamma \) in Equation (2.5) are respectively set to 97, \( n/500 \), and 0.005\( n/30 \), based on our preliminary experiments.

We compare the performance of our proposed EXP and SPI methods with that of a naïve method, DIKNN[74], and the EXP and SPI methods using beacons. In the naïve method, which does not use beacons, the query-issuing node broadcasts a \( k \)NN query to its neighbor nodes, and then the query is transmitted to nodes within a specific region using the geo-routing method proposed in [36]. Specifically, each mobile node that receives the \( k \)NN query re-broadcasts the query to its neighbor nodes if it is nearer to the query point than the sender node, or is within the estimated \( k \)NN circle (which is the same as that in the EXP method). In addition, if a node that receives the \( k \)NN query is within the estimated \( k \)NN circle, it directly replies with the information on itself, to the query-issuing node, along the path through which the query message was sent. In the
2.5. Simulation Experiments

DIKNN method, the search range is set by the method proposed in [74], and partitioned into four sectors in these simulation experiments. In the EXP and SPI methods using beacons, the node behavior is basically the same as in the beacon-less EXP and SPI methods, however messages are transmitted (unicast) based on the information obtained by beacon messages (i.e., nodes’ IDs and locations). In the methods using beacons (DIKNN, and the EXP and SPI methods using beacons), the broadcasting period of beacon messages is set at 20[sec] by default, based on our preliminary experiments.\footnote{If nodes exchange messages more frequently than every 20 sec in DIKNN, they can acquire more accurate information on their neighbors. However, the traffic increases, which causes packet losses due to message collision. We have selected 20 sec as the beacon period, because good DIKNN performance is achieved in terms of the traffic and the accuracy of the query result.} In Section 2.5.4, we evaluate two different cases, with beacon periods of 10 and 20[sec] respectively.

The requested number of \( k \)NNs, \( k \), is varied from 1 to 50, with nodes’ maximum movement speed, \( v \), set at 1.0[m/s]. The total number of nodes, \( n \), is set at 500 in Section 2.5.2 and 250 in Section 2.5.3. In addition, to evaluate the impact of node mobility, \( v \) is varied from 0.5 to 20[m/s] in Section 2.5.4, where \( k \) and \( n \) are respectively set at 10 and 500.

In the above simulation model, we randomly determine the initial position of each mobile node. An hour later, the query-issuing node, randomly chosen among all nodes, issues a \( k \)NN query. We repeat this process 1000 times (i.e., 1000 queries) for every 20 seconds, and evaluate the following three criteria.

- Traffic

  We examine the total volume of query messages and replies exchanged in processing a query. Table 2.1 shows the size of messages used, in our methods and the comparative methods, where \( f \) denotes the number of nodes whose information is included in the reply, and \( p \) denotes the number of hops to the query-issuing node. We define “traffic” as the average of the total volume of respective queries issued.

  Here, energy evaluation is highly important in MANET environments. Energy consumption is primarily constituted by computation and message transmissions.

  In our approaches, message transmissions predominate in the search for \( k \)NNs,
Table 2.1: Message Types and Sizes

<table>
<thead>
<tr>
<th>Type</th>
<th>Size [B]</th>
</tr>
</thead>
<tbody>
<tr>
<td>Query (naïve method)</td>
<td>48</td>
</tr>
<tr>
<td>Reply (naïve method)</td>
<td>24</td>
</tr>
<tr>
<td>Neighbor search (geo-routing)</td>
<td>48</td>
</tr>
<tr>
<td>Reply (geo-routing)</td>
<td>8</td>
</tr>
<tr>
<td>Query (EXP method)</td>
<td>56</td>
</tr>
<tr>
<td>Query (SPI method)</td>
<td>48</td>
</tr>
<tr>
<td>Query (DIKNN method)</td>
<td>56+24$p$</td>
</tr>
<tr>
<td>Local query (EXP, SPI and DIKNN methods)</td>
<td>56</td>
</tr>
<tr>
<td>Coordinator search (SPI method)</td>
<td>24</td>
</tr>
<tr>
<td>Query request (SPI method)</td>
<td>8</td>
</tr>
<tr>
<td>Query forwarding (SPI method)</td>
<td>72+16$f$</td>
</tr>
<tr>
<td>Reply (EXP, SPI and DIKNN methods)</td>
<td>32+16$f$</td>
</tr>
<tr>
<td>Ack to the received reply</td>
<td>8</td>
</tr>
<tr>
<td>Beacon</td>
<td>32</td>
</tr>
</tbody>
</table>

and calculation costs are very small. Thus, we consider that the evaluation of energy consumption is roughly the same as that of the traffic.

- **Response time**
  
  We examine the time from the transmission of a query message by the query-issuing node, to the reception of receiving the $k$NN result. In the naïve method, the response time is defined as the time from the query-issuing node’s transmission of a query message, to its reception of the last reply message. Note that, in a real environment, the query-issuing node cannot recognize which reply is the last one. We define “response time” as the average of such times for all queries issued.

- **Accuracy of query result**
  
  We examine the ratio of the number of $k$NNs whose information is included in the $k$NN result acquired by the query-issuing node, to the requested number of $k$NNs, $k$. We define “accuracy of query result” as the MAP (Mean Average Precision) value, which measures the performance of the result with a ranking [55]. The
2.5. SIMULATION EXPERIMENTS

MAP is an average of the AP (Average Precision) of the respective queries. The AP and MAP are determined by the following equations:

\[ AP_i = \frac{1}{k} \sum_{j=1}^{k} \frac{g_j e_j}{j} \]  \hspace{1cm} (2.7)

\[ MAP = \frac{1}{q} \sum_{i=1}^{q} AP_i \]  \hspace{1cm} (2.8)

where \( AP_i \) is the AP of the \( i \)-th issued query, \( g \) is the number of nodes which are included in the query result among the top-\( j \) nearest nodes, \( q \) is the total number of issued queries (i.e., 1,000 in this simulation), and \( e \) is determined by the following equation:

\[ e = \begin{cases} 
1 & \text{(if the } j\text{-th nearest node is included} \\
\text{in the } k\text{NN result)} \\
0 & \text{(otherwise)}
\end{cases} \]  \hspace{1cm} (2.9)

Thus, the MAP increases as the query-issuing node acquires the information on nodes nearer to the query point.

2.5.2 Simulation Results in the Case of 500 Nodes

First, we examine the performance of our proposed methods when the number of nodes is 500. Figures 2.12 show the simulation results. In these graphs, the horizontal axis indicates the requested number of \( k \)NNs, \( k \), and the vertical axis indicates the traffic in Figure 2.12(a), the response time in Figure 2.12(b), and the accuracy of query result in Figure 2.12(c).

From Figure 2.12(a), as \( k \) increases, the traffic increases in all methods, because both the search area for processing a \( k \)NN query and the data volume of the reply increase. Our proposed methods generate far less traffic than the methods using beacons, as the periodical beacon exchanges involved in the latter cause a great deal of traffic. In particular, the DIKNN method produces the largest traffic in most cases, because it generates many unnecessary replies from every partitioned sector. Our proposed methods also generate far less traffic than the naïve method, because in the former, a \( k \)NN
query is first forwarded to the nearest node from the query point, with a small hopcount and without multiple paths, using the geo-routing method. The EXP method produces more traffic than the SPI method, because in our simulations the specified radius of the estimated $k$NN circle is relatively large for safety, and thus many non-$k$NN nodes reply. In the SPI method, the traffic depends on the number of laps required for collecting the information on $k$NNs, and thus the traffic increases in a stepwise manner as $k$ increases.

From Figure 2.12(b), the response time in our proposed methods is greater than in the methods using beacons. By using the information on neighbor nodes obtained from beacon messages, a node can forward a message without a three-way handshake.
or waiting time for reply. Furthermore, because the DIKNN method can acquire the information on nodes in parallel, by simultaneously searching all partitioned sectors, the response time is very short. In our methods, on the other hand, a node sets a waiting time before transmitting a message via geo-routing (i.e., \( t \)), and thus the response time is increased. In the EXP method in particular, every node must wait for \( T \) before sending back a reply, which results in an increase in response time. In the naïve method, such waiting times do not occur; however, in this method retransmissions of replies often occur, due to packet losses caused by the increased traffic. Overall, the response time in the naïve method is roughly similar to that of the SPI method.

From Figure 2.12(c), the accuracy of query result is very high (nearly 1) in our methods, in contrast to the lower accuracy of query result in the DIKNN and naïve methods. This is because, in the latter, packet losses often occur due to individual replies, from all sectors in the DIKNN method, and from all nodes in the naïve method.

### 2.5.3 Simulation Results in the Case of 250 Nodes

Next, we examine the performance of our proposed methods when the number of nodes is 250 (low node density). Figure 2.13 shows the simulation results. In these graphs, the horizontal axis indicates the requested number of \( k \)NNs, \( k \); and the vertical axis indicates the traffic in Figure 2.13(a), the response time in Figure 2.13(b), and the accuracy of query result in Figure 2.13(c).

From Figure 2.13(a), in the methods using beacons, the traffic is less than in the case of 500 nodes, owing to the decreased traffic in beacon message exchange. The traffic in the naïve method is also less than in the case of 500 nodes, because the traffic involved in propagating a \( k \)NN query decreases. In the EXP method, the traffic is roughly the same as in the case of 500 nodes, because in the geo-routing employed by our methods, a \( k \)NN query can be transmitted to the nearest node from the query point with a small hopcount, regardless of the node density, and the estimated \( k \)NN circle is determined based on the node density. In the SPI method, on the other hand, the traffic is greater than in the case of 500 nodes, because the method requires more laps in order to collect the information on \( k \)NNs when the density is lower.

From Figure 2.13(b), the response time in the SPI method is much greater than in the case of 500 nodes due to the increase in laps, as described above. In the other methods,
the response time is less than in the case of 500 nodes, because some of the parameters determining waiting time (e.g., $\beta$) were based on node density (lessened for low density) in order to avoid message collision.

From Figure 2.13(c), none of the methods can achieve 100% accuracy of the query result, because with low node density it often happens that there is no available node for the next hop when transmitting a query and reply during geo-routing. In the EXP method, the accuracy of the query result is slightly higher than that with the other methods, because a query message is propagated to nodes near the query point by flooding, and thus the occasions for using geo-routing are fewer than in the other methods.
2.5. Simulation Experiments

Finally, we examine the performance of our proposed methods by varying node speed when the number of nodes is 500. Figures 2.14 show the simulation results. In these graphs, the horizontal axis indicates the maximum speed of nodes, \( v \), and the vertical axis indicates the traffic in Figure 2.14(a), the response time in Figure 2.14(b), and the accuracy of query result in Figure 2.14(c); “(beacon \( x \)s)” denotes a method using beacons with a period of \( x \) seconds. In these simulation experiments, \( k \) is set at 10.

From Figures 2.14(a) and 2.14(b), the traffic and response time are nearly constant, regardless of the nodes’ speed. This shows that link disconnections rarely occur during

Figure 2.14: Impact of node mobility

2.5.4 Impact of Node Mobility

Finally, we examine the performance of our proposed methods by varying node speed when the number of nodes is 500. Figures 2.14 show the simulation results. In these graphs, the horizontal axis indicates the maximum speed of nodes, \( v \), and the vertical axis indicates the traffic in Figure 2.14(a), the response time in Figure 2.14(b), and the accuracy of query result in Figure 2.14(c); “(beacon \( x \)s)” denotes a method using beacons with a period of \( x \) seconds. In these simulation experiments, \( k \) is set at 10.

From Figures 2.14(a) and 2.14(b), the traffic and response time are nearly constant, regardless of the nodes’ speed. This shows that link disconnections rarely occur during
the execution of all the methods except for the DIKNN method, because in the former
the execution time is short. In the DIKNN method, as $v$ increases, the response time
slightly increases, because as nodes move faster, the chance of a link disconnection
increases during the transmission of replies from all sectors.

From Figure 2.14(c), the accuracy of the query result in our proposed methods re-
mains high, regardless of the nodes’ speed, because the path of message transmission is
reactively constructed. In methods using beacons, on the other hand, as $v$ increases, the
accuracy of the query result significantly decreases when the period of the beacon mes-
sage is set at 20[s]. This shows that nodes cannot accurately know neighboring nodes’
information due to the mobility of nodes. While setting the period of the beacon mes-
sage at a lower value, such as 10[s], can maintain high accuracy of the query result, it
generates significantly greater traffic as shown in Figure 2.14(a). Thus, we can observe
that the methods using beacons are not suitable for a highly dynamic network.

2.5.5 Discussion

Comparison among Six Methods

The respective methods have advantages in different applications or network conditions. 
Table 2.2 compares the features of the respective methods.

In the methods employing beacons (“yes” at Beacon column in Table 2.2), the fre-
quency of the broadcasting period of beacon messages directly affects the performance
of the methods. If nodes frequently exchange beacon messages, $k$NNs can be searched
with high accuracy of the query result, because nodes can accurately know the informa-
tion on their neighbors. However, it involves much traffic, which often makes the accu-
racy of the query result of the query result worse than beacon-less methods. In terms of
response time, a node which wants to forward a query can immediately determine the
next hop node, which results in a short response time. Therefore, methods employing
beacons are useful in networks where nodes already exchange beacon messages fre-
quently in processing other applications, which means that no additional beacon costs
are required. For example, such methods are suitable for collaborative work (e.g., a
rescue operation in a disaster) in which nodes often frequently exchange messages to
collaborate with other members, and which typically requires high accuracy of the query
2.5. SIMULATION EXPERIMENTS

result. The EXP and SPI methods using beacons are suitable for such a situation. On the other hand, the response time of DIKNN is shorter than that of the other methods, owing to the use of multiple paths, but DIKNN often cannot achieve high accuracy of the query result. DIKNN is thus suitable for applications that do not required highly accurate results, but require that the results be acquired as soon as possible (e.g., the distribution of time-service information in an event site).

Beacon-less methods (“no” at Beacon column in Table 2.2) can work well in networks where nodes do not know the information on neighbors. In particular, these methods can maintain the accuracy of the query result even if nodes move quickly. Moreover, in MANETs, a situation often occurs in which some nodes are not available to frequently exchange beacon messages, due to limitations in network bandwidth. Beacon-less methods typically work well in such situations. The response time of the (beacon-less) EXP and SPI methods is larger than that of methods with beacons because a node determines the next hop node using a three-way handshake. However, in the real environment, many applications tolerate the delay of a few seconds for searching $k$NNs. For example, in an application which distributes event information in a city, our beacon-less methods are suitable for acquiring $k$NNs because these methods do not involve much network consumption.

In the EXP method and DIKNN, the search range which includes $k$NNs with high probability is determined in advance (“Proactive” at Search Range column in Table 2.2). To estimate the search range appropriately, the estimated node density must be almost equal to the real node density within the search range. However, when the node density is strongly skewed throughout the entire network, it is hard to accurately estimate the search range, and thus the accuracy of the query result decreases or traffic increases. Therefore, these methods work well when the estimation of the search range is reliable (i.e., when either nodes know the configuration of the node density, or the node density is uniform in the network and known). For example, in a rescue operation in a disaster, in which members often know the allocation of members in regions, the query-issuing node can know the number of members near a query point. On the other hand, in the SPI method, since a query gradually extends the search range by acquiring $k$NNs, an initial estimation of the search range is not needed. A suitable application here, for example, would be coupon distribution in a city, where it is often difficult for each node to know the number of nodes in the area.
CHAPTER 2. SEARCHING FOR $K$ NEAREST NEIGHBOR NODES

Table 2.2: Comparison table

<table>
<thead>
<tr>
<th>Method</th>
<th>Beacon</th>
<th>Next hop decision to query point</th>
<th>$k$NN collection</th>
<th>Search Range</th>
</tr>
</thead>
<tbody>
<tr>
<td>EXP</td>
<td>no</td>
<td>Inquiry</td>
<td>(Broadcast)</td>
<td>Proactive</td>
</tr>
<tr>
<td>SPI</td>
<td>no</td>
<td>Inquiry</td>
<td>Inquiry</td>
<td>Reactive</td>
</tr>
<tr>
<td>EXP(beacon)</td>
<td>yes</td>
<td>Beacon info.</td>
<td>(Broadcast)</td>
<td>Proactive</td>
</tr>
<tr>
<td>SPI(beacon)</td>
<td>yes</td>
<td>Beacon info.</td>
<td>Beacon info.</td>
<td>Reactive</td>
</tr>
<tr>
<td>DIKNN</td>
<td>yes</td>
<td>Beacon info.</td>
<td>Beacon info.</td>
<td>Proactive</td>
</tr>
<tr>
<td>Naive</td>
<td>no</td>
<td>(Broadcast)</td>
<td>-</td>
<td>Proactive</td>
</tr>
</tbody>
</table>

How to Choose One from the Two Proposed Methods

We proposed two different methods, EXP and SPI. Their performance superiority depends on some environmental factors such as density of nodes. In the following, we briefly explain our current idea of how to adaptively choose an appropriate method based on the density of nodes in a real environment.

In this chapter, we assume that each node knows the total number of nodes and the size of the entire area where nodes are present. Therefore, each node can calculate the average density of nodes in the entire area using this information. The query-issuing node can select either the SPI or EXP method based on the average node density; the former method if the average density is high, and latter if it is low. However, in a real environment, it is not always easy to know such information in advance. In a naïve way, when a node can count the number of nodes in the entire network and estimate the area size by flooding a message to all nodes and receiving replies from them. However, this is not efficient, because flooding involves significant traffic.

Therefore, we need a method to estimate the density of nodes without flooding. For example, a node would broadcast a message to its neighbors, receive replies, and thereby roughly estimate the local density of nodes. With such estimation, the query-issuing node may be able to select an appropriate method from either EXP or SPI method.
2.6 Conclusions

In this chapter, we have proposed $k$NN query processing methods in MANETs which aim to reduce traffic for query processing and maintain high accuracy of the query result. In our methods, the query-issuing node first forwards a $k$NN query using geo-routing to the nearest node from the query point. Then, the nearest node from the query point forwards the query to other nodes close to the query point, and each node that receives the query replies with the information on itself. In this process, we adopt two different approaches; the Explosion (EXP) and Spiral (SPI) methods.

The experimental results show that our proposed methods both reduce the traffic required for processing $k$NN queries, in comparison with the naïve and existing methods using beacons, and achieve high accuracy of the query result. The EXP method can achieve both reduction in traffic and high accuracy of the query result at any levels of node density; while the SPI method can achieve high performance in an environment with high node density, though it does not perform well in a sparse environment.
Chapter 3

Searching for \( k \) Nearest Location-Dependent Data Items

3.1 Introduction

In an LBS, it is effective to search for the \( k \) nearest data items associated with a given location (location-dependent data) from the query point. Figure 3.1 shows an example of performing a \( k \)NN query in a MANET, where a rescue worker acquires the \( k \) nearest data items (e.g., information about victims and damage of buildings) from his/her current location in a disaster site. If the query-issuing node receives all the data items within the entire network, a substantial amount of unnecessary traffic is generated.

Meanwhile, location-dependent data items can be effectively searched if nodes cache some near-by data items, because the query-issuing node may be able to retrieve \( k \)NNs from nodes within a small region. Therefore, effective caching of data items can reduce traffic and response time in searching. Here, in \( k \)NN search, the query-issuing node often specifies its own location as the query point (i.e., the query-issuing node retrieves nearby information). In this case, it is efficient for nodes to cache data items whose locations are near their own.

As nodes move in MANETs, data items which have been cached by a node since long time ago are likely no more members of \( k \)NNs from the node’s current location, because the cached data items are associated with the node’s former location. Hence, in order to make good use of cached data items for a \( k \)NN query, it is necessary to maintain
What are the 3 nearest data items from here?

Figure 3.1: Example of a $k$NN query for location-dependent data items in a MANET

cached data items to adapt to location changes. In addition, when the requested number of data items $k$ is greater than the number of cached data items, the query-issuing node needs to acquire data items included in the $k$NNs from neighbors by query processing. However, if the neighbors reply with their own cached data items, much unnecessary traffic will occur because such neighbors often cache the same data items and thus reply with duplicate data items. Furthermore, without centralized management of data items (i.e., when there is no server), it is difficult for query-issuing nodes to know whether acquired data items are $k$NNs from the query point (i.e., the correct query result) unless nodes know all data items. Therefore, it is important to achieve a mechanism for a query-issuing node to know that it actually has acquired $k$NNs.

In [57], the authors proposed a $k$NN query processing method for a pure mobile P2P environment (i.e., MANET). In their setting, nodes collaborate in answering the query, and acquire $k$NNs with less communication cost than that of centralized methods. Their work addresses a similar problem to that of our study described in this chapter, but the work in [57] assumes that each peer always cache correct $k$NNs from its current location, and does not focus on the problem of replies with duplicate data items.

In this chapter, we propose the Filling Area (FA) method to process a $k$NN query which searches for the $k$ nearest location-dependent data items in MANETs. The FA method achieves low traffic and high accuracy of the query result. To the best of our knowledge, this is the first $k$NN query processing method maintaining cached data items
3.2 RELATED WORK

against nodes’ mobility and preventing replies with duplicate data items in a dynamic distributed system including a MANET. In the FA method, when a node issues a $k$NN query, it acquires data items retained by nodes within a specific region (search area), which is the circular area centered at the query-issuing node’s location.\footnote{In this chapter, the query point is the current location of the query-issuing node. We assume that the query-issuing node retrieves nearby information.} When nodes within the search area reply with data items (original and cached) which are likely included in the query result, they avoid duplicate replies with the same data items by overhearing messages sent by the other nodes.

Nodes reply with data items (original and cached) which are likely included in the query result, avoiding replies with duplicate data items by overhearing messages. To minimize the search area, data items remain at nodes near the locations with which the items are associated, and nodes cache data items (as copies) whose locations are near their current locations. In particular, when a node retaining data items moves beyond a given data boundary, away from the location with which the items are associated, it forwards the items to the nodes nearest to the location with which they are associated. We also summarize experimental results which verify that our method can reduce traffic in comparison with existing methods and achieve high accuracy of the query result.

The remainder of this chapter is organized as follows. In Section 3.2, we introduce related works. In Section 3.3, we explain assumptions of this work. We present our $k$NN query processing method in Section 3.4. In Section 3.5, we show the results of the simulation experiments. Finally, we summarize this chapter in Section 3.6.

3.2 Related Work

As described in Section 3.1, there have been no studies that directly address the problems targeted in this chapter. In this section, we introduce some existing studies on location-dependent data management in LBS and $k$NN query processing, which are somewhat related to our work.
CHAPTER 3. SEARCHING FOR $k$ NEAREST LOCATION-DEPENDENT DATA ITEMS

3.2.1 Location-Dependent Data Management in LBS

In [26], the authors proposed a line-based data dissemination protocol for sensor networks. Sinks disseminate data items to nodes within a vertical virtual line which divides the field into two parts, and nodes search for data items there. This method does not assume $k$NN query processing and replication of location-dependent data. In [71], the authors proposed the Skip-Copy method, specifically aimed at managing location-dependent data items in MANETs. This method sparsely distributes copies of location-dependent data items to increase data availability in a wide range. However, in this method, nodes access a single location-dependent data item, in contrast to our method’s aim of acquiring multiple location-dependent data items near a specific point. In [82], the authors proposed a system to provide an LBS which does not depend on pre-established infrastructure. The system uses a mobile agent that remains within a certain geographical area, moving among mobile nodes in the area. Our method is inspired by this approach in keeping data items within a specific region.

3.2.2 $k$NN Query Processing

In [68], the authors proposed a method for efficiently acquiring $k$NNs from mobile query points. This method can reduce disk access search costs for databases, when the query point is moving and $k$NN results change. It assumes that the information of all static objects (such as hospitals or schools) has been previously obtained (i.e., a centralized method). In [10], the authors defined Continuous All $k$-Nearest Neighbor (CA$k$NN) queries which continuously identify all nodes’ closest neighboring nodes, and proposed a ‘Proximity’ algorithm for efficiently processing such queries in smartphone networks. This algorithm only works well in areas covered by a set of network connectivity points (e.g., cellular towers for cellular networks). Moreover, each node must regularly report its positional information to the query processor, which is too costly in MANETs. In [80], the authors proposed a method to continuously monitor $k$NNs in a wireless sensor network. Here, sensors detect objects moving around the target region, and these sensors collaborate to continuously monitor the $k$NNs ($k$ nearest objects) from the query point. However, since this method assumes that the sensors are statically deployed, it is not applicable to MANETs.
In Chapter 2 [40], we have proposed a \( k \)NN query processing method for MANET. In this method, a node floods a query to nodes within a specific circular region centered on the query point, and each node receiving the query replies with information on itself. Thus, this method can avoid flooding in the entire network. However, the search object in this method is the \( k \) nearest nodes (not location-dependent data items). Searching location-dependent data is more challenging because data held by nodes may move far away from their associated locations.

In [87], the authors proposed a collaborative caching framework for spatial queries in mobile P2P networks. The study presented the Signature Augment Tree (SAT), which is based on the R-tree, to maintain the information on data items cached by neighbors. Therefore, the query-issuing node can acquire needed data items by sending queries only to nodes caching the data items, which reduces the data traffic involved in the acquisition of data items. However, this framework basically assumes that nodes request data items to the server when they cannot acquire the data items locally. In addition, nodes must have complete information on data items cached by neighbors, whereas our method can work without such information.

### 3.3 Assumption

We basically assume the environment described in Section 2.3. In addition, we assign a unique data identifier to each data item in the system. The set of all data items in the system is denoted by \( D = \{ D_1, D_2, \ldots, D_m \} \), where \( m \) is the total number of data items\(^2\), and \( D_j \) (\( 1 \leq j \leq m \)) is a data identifier. Each data item includes data point, which is the location information associated with the data-generating location. For simplicity, all data items are assumed to be the same size. Nodes have a cache storage capacity of \( C \) data items.

### 3.4 \( K \)NN Query Processing Method

In this section, first we describe the design policy of our proposed method. Then, we describe how sensor data items are managed in the FA method. Finally, we describe in \( m \) may dynamically change due to appearance, update, and disappearance of data items.
SECTION 3. SEARCHING FOR K NEAREST LOCATION-DEPENDENT DATA ITEMS

detail how \( k \)NN queries are processed in the FA method.

3.4.1 Design Policy

Since there is no centralized server in a MANET, a centralized approach is inappropriate. For example, if data items were transmitted to a specific node as soon as they were generated, the query-issuing node could acquire \( k \)NNs by transmitting a query to the specific node because the specific node would have all the data items and know the \( k \)NNs for all queries (i.e., all query points). However, this is not realistic owing to the nodes’ limited storage capacity, i.e., the size of all the data items in the network is too large for each mobile node to store. Moreover, the transmission of numerous queries to the specific node would cause a temporary spike in traffic volume in the vicinity of the node. Therefore, we have designed a distributed \( k \)NN processing method.

In an LBS, users often require location-dependent data items from near their own location; and when using a \( k \)NN query, they repeatedly require the \( k \)NNs from their own location. Therefore, a method is needed in which nodes retain data items whose location is close to their own, keeping in mind that nodes’ locations will change as they move. Note that \( k \)NNs from the own location change along node mobility.

3.4.2 Maintenance of Data Items

Original Data Item

When a node retaining an original data item moves beyond a given data boundary, \( d \), away from the data point with which the item is associated, the original item is transmitted to the node nearest its data point, using our geo-routing method (an extension of the protocol proposed in [28]), which adopts a three-way handshake protocol to send a data item to the neighboring node nearest the data point. By repeating this procedure, the data is forwarded to the node nearest its dependent location.

More specifically, in our geo-routing method, the node which retains a data item first broadcasts a neighbor search message when it moves beyond \( d \). Then, when a node receives the neighbor search message, if it is closer to the data point than the source node, it sets a waiting time for sending a reply. Because nodes closer to the data point transmit a reply message after a shorter waiting time, the nearest neighboring node from
the data point is the first to transmit a reply message to the source node. Other nodes which have overheard the reply message, do not reply to suppress unnecessary traffic. The source node that has received reply messages from its neighbors sends a (forwards the) data forwarding message, including the data item, only to the node that first sent the reply. The node that receives the data forwarding message broadcasts a neighbor search message using the same procedure. Finally, if a node that has sent a neighbor search message receives no reply messages when the data point is within its communication range, it recognizes itself as the nearest node from the data point (Fig. 3.2).

Through the above procedure, a node which retains a data item can forward the item to the nearest node from the data point with low traffic because this geo-routing method requires neither the use of beacon messages nor the construction of multiple paths. This achieves that a node can acquire a data item by searching nodes from which the distance to the data point of the item is less than $d$.

Figure 3.2 shows an example of executing data transmission in which $M_1$ retains a data item $D_1$. When $M_1$ moves farther than $d$ from the data point of $D_1$, it broadcasts a neighbor search message. When $M_2$ and $M_3$ receive the neighbor search message from $M_1$, they set a waiting time for sending a reply because they are closer to the data point of $D_1$ than $M_1$. $M_3$ sets a shorter waiting time because the waiting time is based on the distance from the data point of $D_1$ to a given node’s location, and $M_3$ is closest to the data point of $D_1$ among the nodes receiving the message. When its waiting time has passed, $M_3$ initiates a reply to $M_1$. On receiving the reply message from $M_3$,
Chapter 3. Searching for k Nearest Location-Dependent Data Items

$M_1$ forwards a data forwarding message, including $D_1$, to $M_3$. Then, $M_3$ transmits a neighbor search message in the same manner as $M_1$. Finally, $M_3$, on receiving no reply, retains $D_1$ until it moves farther than $d$ from the data point of $D_1$.

Cached Data Item

Requirements: As described above, since users repeatedly require the $k$NNs from their own location using $k$NN queries, it is useful for nodes to retain the $C$NNs from their locations. In such a situation, if $k$ is less than $C$, a node can know the $k$NNs among its cached data items without query processing. Even if $k$ is greater than $C$, a node often can acquire $k$NNs by seeking data items from only nearby nodes, because these nodes retain nearby data items.

In MANETs, it is a considerable challenge to maintain current $C$NNs, because the location of a given node (in this case the query point) changes due to node mobility, resulting in changes in the $C$NNs. If nodes frequently exchange messages including data items, they can update the $C$NNs from their new location, but it significantly consumes the network bandwidth, causing frequent packet losses and high energy consumption. On the other hand, when nodes do not frequently exchange messages, their own cached data items become much different from actual $C$NNs, resulting less useful for $k$NN query processing.

Another feature is that perimeter nodes cache almost same data items since each node caches data items whose locations are near their own. If all nodes in the network maintain their own $C$NNs, the traffic for maintaining $C$NNs within the network is large due to maintenance of almost same data items on respective neighboring nodes. Therefore, in such a case (e.g., the density of nodes is high), it is effective that selective nodes rather than all of the nodes maintain cached data items.

Cache Maintenance Procedure: In the FA method, to maintain current $C$NNs, a node updates its retained $C$NNs by exchanging messages with its neighboring nodes. Here, we define the circular area in which there are $C$NNs, as the node’s assignment, whose center point is the location at which the node updates its $C$NNs (update point), and whose radius is the distance from this update point to the farthest data point among cached data items. For maintaining cached data items, nodes newly cache its current $C$NNs when a node moves farther than $d$ from its update point, unless neighboring
nodes already cache data items whose data points are close from the node’s current location.

First, when a node generates a data item, it signals the occurrence of the item by flooding a message including the item, over a specific area, which should be appropriately determined such that the data item is surely sent to nodes which retain it as a CNN, but not sent to an unnecessary wide area. After this, the nodes that received the message retain the data item in their caches if necessary. Algorithm 1 shows the procedures involved in maintenance of cached data items.

When a node moves farther than $d$ from its update point, it broadcasts a request message to its neighboring nodes, which includes the IDs of data items cached by the node, and the current location of the node. Each node receiving the request message sets a waiting time $w$ for a response based on the distance $d'$ from its update point to the issuer of the message, using the following equation: $w = \alpha d'$, where $\alpha$ is a parameter for waiting responses. The waiting time decreases, as the update point of a node nears the location of the message issuer. This is effective because a nearer node likely caches more data items which the issuer will cache as CNNs. The node which has set the least waiting time broadcasts a Maintenance-Stop message if $d$ is less than $\mu$ and the distance between its current location and its update point is less than $\lambda$. Otherwise, it selects the candidates, which are data items closer than the $C$-th nearest data items from the location of the request issuer, and at the expiration of its waiting time it broadcasts a response message including the candidates. If a node receives a Maintenance-Stop message, it cancels sending response. The request issuer does not update cached data items, and it transfers to the Maintenance-Stop (MS) mode and sets the MS time $S$ (the left case in Fig. 3.3). On the other hand, nodes overhear response messages from each other (the right case in Fig. 3.3), and if the node has no candidates which are not sent by other nodes, it does nothing, resulting in a reduction of unnecessary traffic.

**Data updating**

In the real environment, data items are constantly generated, updated, and deleted, and it is important for LBSs to easily manage such data updates. $K$NN queries are sensitive to data updating because the $k$NN answers to queries may change. Data updating patterns are divided into those that are location dependent and those that are not. An example of
CHAPTER 3. SEARCHING FOR $K$ NEAREST LOCATION-DEPENDENT DATA ITEMS

Algorithm 1: Maintenance of cached data items

1: // node moves farther than $d$ from its update point or $S$ has passed at node
2: if node is in MS mode then
3:    recover from MS mode
4:  end if
5: send Request
6: // node receives Request
7: if node is not in MS mode then
8:    store ID of request issuer’s cached data items
9:    set waiting time
10: end if
11: // waiting time has passed at node
12: if node has not received Maintenance-Stop then
13:    if there exists near request issuer then
14:       send Maintenance-Stop
15:    else if there are candidates then
16:       send Response(candidates)
17:    end if
18: end if
19: // node receives Response
20: if node is not in MS mode then
21:    if node is request issuer then
22:       update cached data items
23:    else
24:       store ID of candidates
25:    end if
26: end if
27: // node receives Maintenance-Stop
28: if node is request issuer then
29:    set $S$
30: end if

the former may be seen in fixed-point sensor nodes periodically observing updates to data items, including present value. In this case, although the $k$NNs do not change, because the data points remain the same, nodes must replace cached data items with new data items whose data points show the same location. On the other hand, when data items are generated independently of location (e.g., when mobile nodes periodically sense data items at a given location), the $k$NNs may change.

A naïve method to notify other nodes of data updates is to flood messages, including new data items, over the entire network, which causes excessive traffic. Our data maintenance method can easily handle data updating, whether location dependent or not; for here, both original and cached data items are retained by nodes near the respective data points. This means that when new data items are generated, nodes generating such items can send the notification message including the items over only the limited area near themselves. Therefore, our data maintenance method is suitable for location-dependent data items with data updation.
3.4. \textit{KNN QUERY PROCESSING METHOD}

In the FA method, when a node issues a $k$NN query, it floods the query to nodes within a specific region (\textit{search area}), which is a circular area whose center point is the query point. Nodes, which is not in the MS mode, reply with data items which will be likely included in the $k$NNs, avoiding replies of the duplicate data item by overhearing messages from other nodes. Algorithm 2 shows the procedures involved in query processing. In this pseudo code, $\text{Assignment (node)}$ denotes the node’s assignment.

First, the query-issuing node specifies the requested number of $k$NNs, $k$, and determines whether its cached data items satisfy the $k$NNs from the query point (line 2 in Algorithm 2). More specifically, if $k \leq C$, and the data points of the $k$ nearest data items among data items cached by the query-issuing node are present within the \textit{guaranteed area} which is a circular area centered on the query point, whose radius is $l - U$ where $l$ is the radius of $\text{Assignment (query-issuing node)}$ and $U$ is the distance between the query point and its update point, the query-issuing node can complete the search. This is because the $k$NNs are guaranteed to be included in the guaranteed area; that is, the data point of any data item outside this circular area must be farther from the query point than the data points of data items within this area (see Fig. 3.4). Otherwise, the query-issuing node performs query processing for acquiring $k$NNs in cooperation with nearby nodes.

The query-issuing node determines the radius of the search area, $R$, based on the

\footnote{In the FA method, nodes in the MS mode do nothing in query processing, which reduces traffic. Note that even if a node in the MS mode, it can issue a query, and procedures of the method is same.}
Algorithm 2: Query processing

1: // query-issuing node begins to search
2: if Assignment (query-issuing node) guarantees kNNs then
3: complete search
4: else
5: calculate search area
6: send Query
7: set $T'$
8: end if
9: // node receives Query for the first time
10: if node is within search area and not in MS mode then
11: store ID of source node as parent
12: store Assignment (query-issuing node)
13: send Query
14: set $T$
15: end if
16: // node receives Reply or EmptyReply issued by node N
17: if node is query-issuing node then
18: store data items
19: else if node is not in MS mode then
20: store Assignment (N)
21: update $T$
22: if node is parent of source node then
23: send Reply or EmptyReply to parent
24: end if
25: end if
26: // $T$ has passed at Node
27: if Assignment (Node) is not covered then
28: if no data within Assignment (Node) then
29: send EmptyReply to parent
30: else
31: send Reply to parent
32: end if
33: end if
34: // $T'$ has passed at query-issuing node
35: if $k$ data items are acquired and area of $k$NNs is covered then
36: complete search
37: else
38: calculate new search area
39: send Query
40: set $T'$
41: end if

information on data items cached by itself, and $k$, using the following equation:

$$R = l(\beta \sqrt{\frac{k}{C}} - 1) + d,$$  (3.1)

where $\beta \geq 1$ is a parameter to avoid missing some $k$NNs due to misestimation of the density of data items. According to Equation (3.1), $R$ is principally determined based on the density of data items cached by the query-issuing node (i.e., $C/l^2 = k/\pi L^2$ [1/m²], where $L$ is the radius of the Filling Area which is the circular area in which data points of the $k$NNs are present with high probability). Because each node caches

\footnote{When $k \geq C$, $R$ surely becomes positive. Otherwise, in an unlikely event that the calculated $R$ has a negative value, $\beta$ is set a greater value to make $R$ positive.}
data items, it can reply with the data items whose data points are roughly $l$ away from its location, and thus nodes within the circular area of the inner dotted line in Fig. 3.5 will have data items within the Filling Area. Therefore, $R$ can be reduced by $l$ from $L$. Moreover, since each node locates (at most) $d$ away from its update point, $R$ is enlarged by $d$.

Then, the query-issuing node floods the search area with a $k$NN query message which includes the query-issuing node’s ID; the remaining requested number of $k$NNs, $k'$ (i.e., $k$ — the number of data items within the guaranteed circular area); $R$; the query-issuing node’s assignment (i.e., its update point and $l$); and the query point (i.e., its own location). At the same time, the query-issuing node sets the waiting time $T'$ for awaiting replies, calculated by $\delta \lceil R/l \rceil$, where $\delta$ is a positive constant (line 7 in Algorithm 2).

If a node receiving the query message (the receiver) is within the search area and not in the MS mode, it sets the reply delay $T$ (the time from receiving a query for the first time to sending a reply), using the following equation:

$$T = \frac{\delta P(A_m - A)}{A_m}. \quad (3.2)$$

$$P = \begin{cases} 
1 & \text{if } u < l, \\
\lfloor u/l \rfloor & \text{otherwise}. 
\end{cases} \quad (3.3)$$
Here, \( N \) is a node that has already issued a reply received by the receiver, \( A_m \) is a system parameter which is a positive constant, and \( u \) is the distance from the query point to the receiver’s update point. In Equation (3.2), \( T \) decreases as \( u \) decreases and \( A \) increases\(^5\). From Equation (3.4), \( A \) indicates the size of the area where data items which have not been replied yet, called replyArea (e.g., the gray-colored area in Fig. 3.6). As \( A \) increases, the priority of replying gets higher because more data items are present in the area with high probability, and thus the node can reply with these items. Nodes within a smaller \( P \) reply earlier every additional \( l \), because nodes with update points nearer to the query point can reply with a smaller hopcount to the query-issuing node.

A node within the search area initiates a reply message (after waiting \( T \)), including candidate data items and its assignment, to the query-issuing node if \( A \) is non-zero; that is, if Assignment (this node) is not fully covered by replies from other nodes (Line 27 in Algorithm 2). The candidate data items are the (at most) \( k' \) data items which have not yet been sent in reply by other nodes, among the data items whose data points lie within the Filling Area. If the node has no candidates, it transmits an empty reply message to the query-issuing node, instead of a reply message. The empty reply message includes only its assignment (not data items). With the reception of the empty reply message, the query-issuing node can recognize that there are no data items in the assignment attached to a message, and thus, the method guarantees that the \( k \)NN query exhaustively searches the search area. When a node receives (or overhears) reply or empty reply messages, it recognizes the area covered by the replying node, avoiding multiple replies of the same data item; and if the overhearing and replying nodes’ assignments overlap, \( A \) is updated, resulting in an updated \( T \).

The query-issuing node receiving a reply message updates the tentative \( k \)NN result. When \( T' \) has passed, if the number of acquired data items exceeds \( k \) and the circular area

\[
A = \text{Assignment (receiver)} \\
\cap \text{Assignment (query-issuing node)} \\
\cap \text{Assignment (\( \forall N \))}. 
\]  

\(^5\)In an unlikely event that the calculated \( T \) has a negative value, though \( A_m \) is inherently greater than \( A \), \( T \) is set at 0.
3.4. KNN QUERY PROCESSING METHOD

centered on the query point, whose radius is the $k$-nearest data point, is fully covered with assignments of all replying nodes, the search is completed and the query-issuing node updates its cached data items with the query result. If not, the query-issuing node re-estimates $R$ (e.g., $\beta$ is decreased) and repeats the same process, to avoid decreasing the accuracy of the query result; note further that there is an upper limit on the number of such repetitions (not endless).

Figure 3.6 shows an example of executing query processing in which $M_1$ issues a $k$NN query, and nodes’ update points correspond to their respective locations for simplicity. All nodes receiving the $k$NN query ($M_2$-$M_5$) set respective $T$s because they are within the search area. First, $M_2$ initiates a reply to $M_1$ because its assignment is larger and the distance between the query point and itself is less than that of the other nodes (Fig. 3.6(a)). Nodes overhearing $M_2$’s reply message ($M_3$-$M_5$) store $M_2$’s assignment, and update their respective $T$s in light of this. After that, $M_3$, and then $M_5$, transmit a reply (or empty reply) message (Fig. 3.6(b)). $M_4$ does nothing (when its own $T$ has passed) because its assignment is fully covered by assignments of other nodes (Fig. 3.6(c)).

With this method, unnecessary transmissions of queries and replies can be suppressed, as nodes search within a limited search area and overhear the replies of other nodes.
3.4.4 Discussion

In this chapter, we assume that the query point is the location of the query-issuing node. However, this is not always the case in a real environment, as it sometimes happens that a user wishes to acquire $k$NNs from a specific location far from the location of the query-issuing node. The FA method can be easily adapted to such a situation as described below. If the query-issuing node specifies, as the query point, a location different from its current location, first, the query is transmitted to the nearest node from the query point, using geo-routing [28, 36]. Then, the nearest node from the query point executes the FA method as the method’s query-issuing node, and replies with acquired $k$NNs to the query-issuing node (through the query path from the query point or using geo-routing).

3.5 Simulation Experiments

In this section, we show the results of simulation experiments evaluating the performance of our proposed method. For the simulation experiments, we used the network simulator QualNet5.2 [66].

3.5.1 Simulation Model

The number of mobile nodes in the entire system is 500. These mobile nodes are present in an area of $1,000[m] \times 1,000[m]$, and move according to the random waypoint model [8], with a movement speed and pause time of from 0.1 to $v[m/s]$ and 200[s], respectively. Mobile nodes transmit messages using an IEEE 802.11b device with a data transmission rate of 11[Mbps]. The transmission power of the mobile nodes is determined such that the radio communication range is about 100[m]. Packet losses and delays occur due to radio interference. We assume that each node knows its current location. The above setting on the network is basically same as that in Section 2.5.1.

The number of data items in the entire system is 250, and the size of data items is 1024[B]. Specifically, randomly selected 250 nodes respectively generate data items associated with their own location once per 300[s], and each data item is valid for 300[s] since it is generated, i.e., the number of data items in the entire network is constantly
250 even though data items are dynamically generated and disappeared. Nodes have a cache storage capacity of $C$ data items. The query point specified by a $k$NN query is the location of the query-issuing node. $d$, $\alpha$, $MS$, $\lambda$, $\mu$, and $\beta$ in Equation (3.1), and $\delta$ in Equation (3.2) are respectively set to 30, 1, $30/v$, 10, 30, 1.1, and 3 based on our preliminary experiments.

We compare the performance of the FA method with that of six alternate methods in which only original data items (not copies) are maintained in the same manner as in the FA method, i.e., the original data items remain at nodes near their respective data points. The first method is the EXP method for searching location-dependent data items (extending the EXP method in [46]). We assume that each node knows the total number of data items, and the entire area size. Thus, in the EXP method, the radius of the search area, $R$, is determined by the following equation:

$$R = \sqrt{\frac{ks}{\pi m} + d},$$

(3.5)

where $s$ is the area size ($s = 1,000 \times 1,000$), and $m$ is the total number of data items ($m = 500$). The query-issuing node floods a query to nodes within the search area, and nodes receiving the query reply with data items whose data points are within the circular area centered on the query point, whose radius is $R - d$. “EXP” in the graphs denotes this method.

The other five methods, based on the FA method for detailed comparison, differ only in terms of the maintenance of cached data items. In these methods, query processing is performed in the same way as in the FA method, with the exception of the cached data maintenance described in Section 3.4.2. In the first method (denoted by “FA(all)” in the graphs), all nodes respectively maintain $CNNs$ (i.e., without the SM mode), which is proposed in [44]. Therefore, in this method, all nodes maintain $CNNs$ even when the density of nodes is high (i.e., perimeter nodes respectively cache almost the same data items). In the second method (denoted by “fixed CNN” in the graphs), nodes statically retain $CNNs$ from the initial update point (i.e., the update point is fixed). This method does not require the cached data maintenance, but due to mobility, nodes tend to retain data items in their cache whose data points are far from their current locations, and thus, assignments of neighboring nodes are little overlapped with each other. Therefore, in this method, the mechanism for avoiding multiple replies containing the same data items (i.e., overhearing and canceling replies) in the FA method may not work well. In
addition, when new data items are generated, the new data items are transmitted over the entire area, since nodes generating these items cannot know where nodes whose assignment contains the location of the new items are present. The comparison with this method demonstrates the effect of updating cached data items as CNNs from nodes’ current locations.

The third method (denoted by “casual cache” in the graphs) maintains cached data items in an ad hoc manner. In this method, a node updates cached data items when it incidentally receives or overhears a message including data items nearer to its current location than its own cached data items. Then, it updates the update point as its current position and regards its own data items as its CNNs. Thus, this method does not ensure that cached data items are actual CNNs from the node’s update point. In other words, it may often happen that the node misses some of CNNs, which causes the node misjudging the density of data items lower and its assignment larger than the real ones. In query processing, as the same in the FA method, query-issuing nodes determine the search area based on their own cached data items, resulting in misjudgement of geographical density of data items.

The last two FA-based comparison methods involve periodical maintenance of cached data items. In these methods, data items are periodically sent to nodes to notify them of the presence of the data items, and the receiving nodes update their cached data items. To examine the impact of the maintenance interval, we set the interval at 5[s] and 300[s], respectively (denoted by “periodic (high)” and “periodic (low)”, respectively, in the graphs).

In evaluating all the methods, the query processing procedures for each query are performed only once (i.e., with no repetitions of a search), in order to evaluate the performance of the methods at with one iteration. Table 3.1 shows the parameters and their values used in the simulation experiments. The parameters are set by default at the constant values to the left of their respective parenthetical range, and varied over this range in the simulations.

In the FA based methods, first, nodes flood data items so that others can retain them in the cache storage. After three hundred seconds have passed since the simulation started, the query-issuing node, randomly chosen among all nodes, issues a $k$NN query. We repeat this process 500 times (500 queries) for every 0.5 seconds, and evaluate the three criteria which is the same described in Section 2.5.1 (i.e., traffic, response time,
3.5. SIMULATION EXPERIMENTS

Table 3.1: Parameter configuration

<table>
<thead>
<tr>
<th>Symbol</th>
<th>Meaning</th>
<th>Values (Range)</th>
</tr>
</thead>
<tbody>
<tr>
<td>( C )</td>
<td>Cache storage capacity</td>
<td>20 (10 - 50)</td>
</tr>
<tr>
<td>( k )</td>
<td>Requested number of data items</td>
<td>30 (1 - 50)</td>
</tr>
<tr>
<td>( v )</td>
<td>Max speed</td>
<td>1.0 [m/s] (0.5 - 2)</td>
</tr>
</tbody>
</table>

Table 3.2: Message types and sizes

<table>
<thead>
<tr>
<th>Type</th>
<th>Size [B]</th>
</tr>
</thead>
<tbody>
<tr>
<td>Neighbor search (data)</td>
<td>48</td>
</tr>
<tr>
<td>Reply (data)</td>
<td>16</td>
</tr>
<tr>
<td>Data forwarding (data)</td>
<td>40+1024</td>
</tr>
<tr>
<td>Notification (data)</td>
<td>32+1024</td>
</tr>
<tr>
<td>Request (data)</td>
<td>32</td>
</tr>
<tr>
<td>Response (data)</td>
<td>24+1024t</td>
</tr>
<tr>
<td>Maintenance-Stop (data)</td>
<td>16</td>
</tr>
<tr>
<td>Query (FA based)</td>
<td>104</td>
</tr>
<tr>
<td>Query (EXP)</td>
<td>64</td>
</tr>
<tr>
<td>Reply (FA based)</td>
<td>64+1024q</td>
</tr>
<tr>
<td>Reply (EXP)</td>
<td>32+1024q</td>
</tr>
<tr>
<td>EmptyReply (FA based)</td>
<td>56</td>
</tr>
<tr>
<td>Ack for a reply (all)</td>
<td>16</td>
</tr>
</tbody>
</table>

and accuracy of the query result). The traffic in this section includes the messages for query processing, that for data flooding when data generation, that for maintenance of original data, and that for cached data maintenance. Table 3.2 shows the size of messages in the FA method and the comparative methods, where \( q \) and \( t \) respectively denote the number of data items included in the reply, and that included in the response for the request. Here, “Neighbor search (data)” denotes a neighbor search message in the maintenance process of data items described in section 3.4.2, and so on.
3.5.2 Impact of Cache Storage Capacity

In the FA method, the cache storage capacity affects performance. Therefore, we first show the results of simulations in which the capacity of cache storage, \( C \), is varied. Figure 3.7 shows the simulation results. In the graphs, the horizontal axis indicates the cache storage capacity, and the vertical axes respectively indicate the traffic in Fig. 3.7(a), the response time in Fig. 3.7(b) and the accuracy of the query result in Fig. 3.7(c).

From Fig. 3.7(a), in the FA method and the FA method by all nodes, when \( C \) is less than 30, as \( C \) increase, the traffic decreases, because the number of data items sent in reply during query processing decreases (i.e., the query-issuing node has more \( k \)NNs in
3.5. SIMULATION EXPERIMENTS

its cache). On the other hand, when $C$ is more than 30, as $C$ increase, the traffic increase since the traffic involved in data maintenance increases (i.e., the number of data items exchanged in data maintenance increases). In the FA method, the traffic is smaller than in the FA method by all nodes because the traffic involved in data maintenance is small since some nodes are in the MS mode, which stop operations for the maintenance of cached data items during a MS period. In the FA method with fixed CNNs, the traffic is greater than that in the FA method because duplicate data items are often sent in reply from multiple nodes. This is because cached data items are less relevant to their associated locations due to nodes’ mobility, i.e., though nearby nodes tend to cache dissimilar data items, remote nodes often cache the same data items. In such a case, even if the assignments of those remote nodes are overlapped, they cannot overhear messages sent by the others, and thus, the mechanism for avoiding multiple replies containing the same data items (i.e., overhearing and canceling replies) does not work well, resulting in large traffic. Moreover, in this method, the traffic involved in notification of data generation is very large because messages including new data items are transmitted over the entire area. This result shows the effectiveness of our data maintenance mechanism, in which nodes near the data points of data items retain those items.

In the FA method with casual caching, the traffic is basically small because the traffic for the maintenance of cached data items is not needed. However, this method cannot guarantee that their cached data items are true CNNs, and thus the accuracy of the query result is low as shown in Fig. 3.7(c). In the FA method with high periodic maintenance, the traffic increases as $C$ increases, because with increasing $C$, more data items are exchanged at short intervals for data maintenance. The traffic in the FA method with low periodic maintenance is greater than that in the FA method with high periodic maintenance when $k$ is less than 20, because the traffic involved in data maintenance is small, but that required by query processing becomes quite large.

From Fig. 3.7(b), the response time in all methods except the EXP method decreases as $C$ increases. When $C$ is more than 30, the response time in all the other methods is less than that of the EXP method. This is because when $C$ is more than $k$, the query-issuing node can often acquire $k$NNs from its own cached data items. The response time in the FA method and the FA method by all nodes and with high periodic maintenance is nearly zero when $C$ is more than 40, because with more frequent maintenance, there is a greater chance that query-issuing nodes will acquire $k$NNs from their own cached
data items. In the FA method with casual caching, when $C$ is more than 40, the response time is nearly zero, because query-issuing nodes nearly always acquire the $k$NN result from their own cached data items. However, this method cannot guarantee that their cached data items are true CNNs, and thus the accuracy of the query result is low as shown in Fig. 3.7(c).

From Fig. 3.7(c), the accuracy of the query result in the FA method and the FA method by all nodes is very high. This is because data maintenance in these methods is highly effective, and a smaller number of nodes send back replies to the query-issuing node. This also shows that the FA method can maintain high accuracy of the query result and also reduce traffic than the FA method by all nodes (shown in Fig. 3.7(a)). In the FA method with high periodic maintenance, when $C$ is less than 20, the accuracy of the query result decreases because packet collisions often occur since more data items are exchanged at short intervals for data maintenance. In the FA method with fixed CNNs and low periodic maintenance, the accuracy of the query result is low because data items cached by respective nodes are typically far from the current $C$ nearest data items; thus replies often do not cover the Filling Area and some necessary data items are lacking. When $C$ is more than 30, the accuracy of the query result in the FA method with fixed CNNs is lower than in the FA method with low periodic maintenance because in the former, nodes’ current locations are typically farther from their update points. In the FA method with casual caching, the accuracy of the query result is low, and increases as $C$ increases. As the number of cached data items increases, query-issuing nodes incidentally retain $k$NNs more often in this method. In the EXP method, the accuracy of the query result is very low, because all nodes within the search area reply to a given query, which often causes message collision.

### 3.5.3 Impact of Requested Number of Data Items $k$

Fig. 3.8 shows the simulation results with varying $k$. In the graphs, the horizontal axis indicates the requested number of data items, $k$, and the vertical axes respectively indicate the traffic in Fig. 3.8(a), the response time in Fig. 3.8(b), and the accuracy of the query result in Fig. 3.8(c).

From Fig. 3.8(a), as $k$ increases, the traffic increases in all methods, because the search area for processing a $k$NN query and the number of data items in replies increase.
In the FA method and the FA method by all nodes, the traffic is small and nearly constant when $k$ is smaller than $C$, because query-issuing nodes can acquire all the $k$NNs from their own cache in most cases. The traffic in the FA method is smaller than in the FA method by all nodes. This is because in the FA method, the traffic for the maintenance of cached data items is smaller due to the effectiveness of MS mode. When $k$ is small, the traffic in the FA method is relatively large in comparison with the FA method with casual caching and the EXP method, because the traffic for data maintenance becomes dominant. However, as $k$ increases, the traffic in the FA method becomes less than in the other methods. The traffic in the FA method with fixed $C$NNs is substantial because of multiple replies and message flooding for notification of data generation. The traffic in the FA method with casual caching becomes greater as $k$ increases because of multiple
CHAPTER 3. SEARCHING FOR \( k \) NEAREST LOCATION-DEPENDENT DATA ITEMS

replies. In the FA method with high periodic maintenance, the traffic is greater than in the FA method, because the traffic involved in data maintenance is greater. The traffic in the FA method with low periodic maintenance is greater than that in the FA method with high periodic maintenance when \( k \) is more than 30, because the traffic involved in data maintenance is small, but that required by query processing becomes quite large with increasing \( k \).

From Fig. 3.8(b), in all methods, the response time increases as \( k \) increases, because the response time depends on the size of the search area, which increases as \( k \) increases. In all the methods except the EXP method, the response time is very short when \( k \) is less than 10, because in most cases query-issuing nodes can acquire \( k \)NNs from their own cached data items.

From Fig. 3.8(c), in the FA method and the FA method by all nodes, the accuracy of the query result is high. As \( k \) increases, the accuracy of the query result in these methods decreases, because packet losses often occur due to a large number of replies. In the FA method with low periodic maintenance and that with fixed CNNs, the accuracy of the query result is low, because \( k \)NNs are often not cached on nodes within the search area. In the FA method with casual caching, the accuracy of the query result decreases as \( k \) increases, although the search area becomes larger. This is because each node wrongly assumes that it covers a wider area than the area covered by real CNNs, and thus nodes receiving a reply message often do not reply with data items since they misjudge that their assignment is fully covered by others. When \( k \) is 1, the accuracy of the query result in the EXP method is low, because the search area is set very small, and thus occasionally no data items whose data points are within the search area are present. Moreover, as \( k \) increases, the traffic significantly decreases because all nodes within the search area reply to a given query, which often causes message collision.

3.5.4 Impact of Node Mobility

Finally, we examine the impact of node speed. Fig. 3.9 shows the simulation results with varying maximum node speed. In the graphs, the horizontal axis indicates the maximum speed of nodes, \( v \), and the vertical axes respectively indicate the traffic in Fig. 3.9(a), the response time in Fig. 3.9(b), and the accuracy of the query result in Fig. 3.9(c).
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From Fig. 3.9(a), in all the methods, as $v$ increases, the traffic slightly increases, because the data maintenance procedures occur more often. When $v$ is more than 1, the traffic in the FA method with low periodic maintenance is greater than in the FA method with high periodic maintenance. This is because as $v$ increases, the traffic involved in query processing increases, since nearby nodes cache less similar data items but remote nodes often cache the same data items, leading to multiple replies with the same data items. From Fig. 3.9(b), the response time in all the methods is nearly constant because the search area is nearly constant.

From Fig. 3.9(c), in the FA method and that by all nodes and with periodic maintenance, as $v$ increases, the accuracy of the query result is nearly constant. In the FA method with fixed CNNs and with low periodic maintenance, as $v$ increases, the ac-
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Accuracy of the query result decreases, because many nodes move far from their update point, and thus, the Filling Area cannot be covered by cached data items of nodes near the query point. Therefore, we again have confirmed that data maintenance is important when nodes move rapidly. In the FA method with casual caching, the accuracy of the query result decreases as \( v \) increases. This is because each node wrongly assumes that it covers a wider area as \( v \) increases, and thus nodes receiving a reply message often do not reply with data items since they misjudge that their assignment is fully covered by others.

3.6 Conclusion

In this chapter, we have proposed a \( k \)-NN query method; the Filling Area (FA) method for searching location-dependent data items, which aim at reducing traffic and maintaining high accuracy of the query result in MANETs. In the FA method, to achieve a small search area, data items remain at nodes near the locations with which the items are associated, and nodes cache data items whose locations are near their own. When a node issues a query, neighboring nodes send back their copies, which will be likely included the query result, with avoidance of duplicate data items being sent back. The experimental results show that the FA method reduces the traffic involved in processing \( k \)-NN queries, and also achieves high accuracy of the query result.

In the FA method, the traffic for data maintenance is suppressed by canceling updating cached data items when a neighboring node has already cached same data items. However, it is more effective that nodes update their cached data items based on the query-issuing characteristics such as query frequency and query point. As part of our future work, we plan to extend our method by addressing this issue.
Chapter 4

Detecting the Convex Hull

4.1 Introduction

In an LBS, real-time location-specific queries for information held by mobile nodes are often used; and in such cases, convex hull queries, which retrieve the information necessary for calculating the convex hull of all the nodes composing a given network, are useful. By using convex hull queries, the query-issuing node can determine the convex hull of the network, which helps to know both the convex area in which nodes are present, and the farthest pair of nodes.

Numerous mathematical methods have been proposed for determining the convex hull of a set of points (node locations) [6]. In order to apply such algorithms to a MANET, however, the query-issuing node must first acquire the information on all node locations in the network. In a naïve approach, the query-issuing node can acquire the information on nodes composing the convex hull of the network by flooding a query throughout the entire network, and receiving location information on all the nodes. However, as described before, this approach produces exceedingly large traffic, and this leads to the loss of necessary data. Here, the convex hull can be calculated solely on the information on nodes which are vertices of the convex hull of the network. In other words, information on nodes which are not convex hull vertices is needless for calculating the convex hull. Therefore, it is efficient for the query-issuing node to acquire only the information on nodes which are vertices of the convex hull, since reducing query processing traffic is significant in MANETs.
I want to know the convex area where members exist.

Figure 4.1 shows an application example of a convex hull query in which a rescue worker attempts to determine the convex hull of nodes (rescue members) in a disaster site. If the query-issuing node receives the information on all nodes within the entire network, a substantial amount of unnecessary traffic is generated, and excessive traffic increases the probability of packet losses, which results in low accuracy of the query result.

In this section, we address the detection of the convex hull which is one type of boundaries. One of the differences between other boundaries proposed in existing methods is that the shape of convex hulls is uniquely defined regardless of network condition (e.g., the size of nodes’ communication range and the density of nodes). This is an advantage because users can search the network area without specifying any information to the convex hull query. In addition, the convex hull detection is useful to roughly know the size of networks. For example, before a node processes a kind of queries, it determines the parameters for the query processing based on the information acquired from the result of a convex hull query (e.g., the maximum distance between nodes in the network). In such a case, the node does not need to know the shape of the network in details, and thus, the convex hull query is suitable for achieving it.

Therefore, we propose two convex hull query processing methods for MANETs, the Local Convex Hull (LCH) and Local Wrapping (LW) methods, for reducing traffic
4.2 Related Work

In this section, we review some existing studies related to our work in this chapter.

4.2.1 Convex Hull Determination Algorithm

Numerous mathematical methods have been proposed for calculating the convex hull of a given set of points [6]. Here, we focus on two particularly relevant techniques, and discuss similarities and differences with respect to our approach. In [30], the author proposes a method for convex hull determination, called Jarvis’s march, which is inspired by gift wrapping. In this method, the point with the smallest y-coordinate among all the points is first selected as a vertex of the convex hull. Then, the angle of each point with the x-axis is calculated, where the origin is fixed at the newly selected point, and the point with the smallest angle is newly selected as a vertex point of the convex hull. By
repeating this procedure, the method can determine the convex hull of a set of points. The LW method proposed in this chapter is inspired by this method.

In [24], the author proposes a method called the Graham scan. In this method, all points are first sorted based on their respective angles with the $x$-axis, where the origin is fixed at the point with the smallest $y$-coordinate among all the points. This method determines whether each point is a vertex of the convex hull, in the sorted order. These methods can determine convex hulls with low calculation costs when the positions of all points are already known; however, this is impossible in MANETs. Therefore, in this chapter, we aim to reduce the traffic required for acquiring the information on vertex nodes of the convex hull, while maintaining high accuracy of the result.

### 4.2.2 Boundary Detection in Various Networks

To the best of our knowledge, this thesis is the first to focus on convex hull query processing in MANETs. In this subsection, we review some existing works on boundary detection, which is closely related to convex hull determination [33, 67, 86, 88]. In [17], the authors propose a method for location-free boundary detection in MANETs. To determine the inner and outer boundaries without knowing node locations, node connectivity information is transferred to a geographical graph, and the global skeleton of the entire network is refined as the boundary. In [85], the authors propose a method for detecting the boundary of 3D sensor networks, based on nodes’ neighborhood information. In this method, first triangular boundary surfaces are roughly constructed based on the Voronoi diagram, and then, certain nodes located outside these surfaces are identified as the final boundary nodes. In [56], the authors propose a method for detecting the geographical boundary of sensor readings in a dense sensor network. In this method, node send their sensor readings to a sink only when they judge that the readings contribute to the boundary detection by overhearing the sensor readings of neighboring nodes. These methods determine various types of boundary, however in this chapter we aim to determine the geographic convex hull, which is different, both in focus and approach, from these existing works.
4.3 Convex Hull Query Processing Methods

In this section, we describe how convex hull queries are processed in our LCH and LW methods. The system environment is same as described in Section 2.3.

4.3.1 Local Convex Hull (LCH) Method

When nodes reply after a query is transmitted throughout the network, relay nodes can identify the nodes which have no possibility of being vertices of the convex hull, by calculating the local convex hull based on received node information. The LCH method reduces unnecessary traffic because the information on nodes which cannot be vertex nodes of the convex hull is not sent back in reply.

The behavior of the query-issuing node, $M_s$, and of mobile nodes receiving a query message are as follows.

1. $M_s$ transmits a convex hull query message to its neighboring nodes. In the query message, the query-issuing node’s ID and location are set as $M_s$ and its location, respectively.

2. Each mobile node, $M_p$, on first receiving the query message, stores the identifier of the source node as its parent. It sets the waiting time $T$ for sending a reply, according the following equation:

   $$ T = \alpha \left( 1 - \frac{a}{d} \right), \quad (4.1) $$

   where $a$ is the distance between $M_s$ and $M_p$, $d (>a)$ is the maximum distance (a positive constant), and $\alpha$ is a parameter specified by the system designer to avoid message collision. As Equation (4.1) shows, $T$ decreases as the distance between $M_s$ and $M_p$ increases.

   At the same time (without waiting $T$), $M_p$ broadcasts the query message to its neighboring mobile nodes.

   If $M_p$ has already received the query message, it discards the message and does nothing.
CHAPTER 4. DETECTING THE CONVEX HULL

3. The node that has set the least $T$ begins to transmit a reply message (after waiting $T$) with the information on itself, including its location, to its parent. This attached information is called the *tentative convex hull result*.

4. Each node that receives the reply message updates the tentative convex hull result included in the reply message, by adding the information on itself and calculating the new convex hull by using some existing method (such as [24]).

5. When its $T$ has passed, if the node is not the query-issuing node, it transmits a reply message, including the updated tentative convex hull result, to its parent, and the procedure returns to Step 4. Otherwise (*i.e.*, the node is the query-issuing node), the query processing is completed.

Figure 4.2 shows an example of executing the LCH method, where $M_1$ is the query-issuing node. When $M_2$, $M_5$, and $M_8$ receive a query message from $M_1$, they store $M_1$’s ID as their parent, and broadcast the query message to their respective neighboring nodes. When $T$ has passed at $M_4$ ($M_3$), $M_4$ ($M_3$) transmits a reply message, including $M_4$ ($M_3$)’s information, to $M_2$. On receiving the reply messages from $M_3$ and $M_4$, $M_2$ calculates its local convex hull based on the information on $M_1$–$M_4$. When $T$ has passed at $M_2$, $M_2$ transmits a reply message, including only $M_3$’s and $M_4$’s information, because $M_2$ is located inside the local convex hull. Such a procedure is performed...
throughout the entire MANET, until finally $M_1$ acquires the information on all nodes in the network.

### 4.3.2 Local Wrapping (LW) Method

In the LCH method, a large volume of unnecessary traffic may occur because queries are transmitted to all nodes throughout the network. In order to effectively reduce traffic, queries should be transmitted only to nodes which are included in the query result (i.e., vertex nodes of the convex hull). Given the geographic characteristics of the convex hull, the vertex nodes of the convex hull basically define the network edge (outer boundary). Therefore, we propose the LW method, which does not require query flooding throughout the network.

In this method, a query is transmitted to nodes on the outer boundary of the network. More specifically, the query-issuing node first sends a query to the node with the smallest $y$-coordinate (start node), and then the query is forwarded along the outer boundary from this start node. Figure 4.3 shows an example of executing the LW method, where $M_5$ is the query-issuing node. In this example, the query is first transmitted to $M_7$, which has the smallest $y$-coordinate, and then is forwarded, counterclockwise, to nodes enclosing the network (i.e., $M_6, M_4, M_3, M_2, M_1, M_8,$ and $M_7$).

To effectively forward a query through the outer nodes, in the LW method, each node receiving the query determines the next node to which the query should be sent, in a three-way handshake manner. Specifically, it first sends a search message to its neighbors, and each node receiving this message sets the waiting time for reply based on the angle between the vertex nodes whose information has already been acquired. When the node with the smallest angle firstly replies, the query-sending node sends the query to this node as the next node.

In this section, we first describe the geo-routing method for forwarding a query to the start node, and then describe how convex hull queries are processed in the LW method.

**Geo-routing Method for Forwarding a Query to the Start Node**

In the LW method, the query-issuing node first forwards a convex hull query, using our proposed geo-routing method in Section 2.4.1, to the start node, which has the smallest $y$-coordinate. Our geo-routing method adopts a three-way handshake protocol to send a
query to the neighboring node closest to the target point among its neighboring nodes. By repeating this procedure, the query is forwarded to the node closest to the target point.

More specifically, in the geo-routing method, the query-issuing node first broadcasts a search message. Then, when a node receives the search message, if it is closer to the target point than the source node, it sets the waiting time for sending a reply. Because nodes closer to the target point, transmit a reply message after a shorter waiting time, the node closest to the target point, among the neighbors, is the first to transmit a reply message to the source node. Then the source node, which has now received reply messages from its neighbors, sends a (forwards the) convex hull query message only to the node that first sent the reply. The node receiving the forwarded convex hull query broadcasts a search message using the same procedure. Finally, if a node that has sent a search message does not receive any reply messages, it recognizes itself as the node closest to the target point (i.e., the start node).

Through the above procedure, the query-issuing node can transmit the query to the start node with low traffic, because the geo-routing method requires neither the use of beacon messages nor the construction of multiple paths.
4.3. CONVEX HULL QUERY PROCESSING METHODS

Algorithm 3: Tentative result updating

1: $D$: tentative result
2: $i = \#$ of data in $D$
3: $j = i - 1$
4: while $\angle D[i] D[j] D[j - 1] < \pi$ do
5: remove $D[j]$ from $D$
6: $j = j - 1$
7: end while

Forwarding a Convex Hull Query and Returning the Result

The behavior of the query-issuing node, $M_s$, and of the mobile nodes receiving the query message, is as follows.

1. $M_s$ transmits a convex hull query to the start node, which has the smallest $y$-coordinate (one of the nodes on the outer boundary), using the geo-routing method described in Section 4.3.2. In the geo-routing method, the target point is set to $(x, y - r)$, where the source node is located at $(x, y)$. In the query message, the query-issuing node’s ID and location are set as $M_s$ and its location, respectively. When a node receives no reply message, it recognizes itself as the start node, and begins acquiring the desired information.

2. After receiving the query (forwarding) message, $M_t$ (the query holder) updates the tentative result by adding its ID and location. Note that the first query holder is the start node. When the number of node IDs in the tentative result is greater than 3, the node determines the vertex nodes of the convex hull in the tentative result, using Algorithm 3. Through the use of this algorithm, the information on nodes which cannot be vertex nodes of the global convex hull is omitted from the tentative result.

3. $M_t$ broadcasts a neighbor search message to its neighboring mobile nodes. The neighbor search message includes the information (ID and location) on the two nodes ($M_t$ and $M_q$) last added to the tentative result. Here, if $M_t$ is the start node, the reply message includes only the ID and location of $M_t$. 
4. Each mobile node, $M_p$, that has received the neighbor search message sets the waiting time $T$ for sending a response message according to the following equation:

$$T = \frac{t_m \theta}{2\pi},$$

(4.2)

where $t_m$ is a positive constant specifying the maximum time before sending a response message, and $\theta$ is the angle of $\angle M_q M_t M_p$. If the information on $M_q$ is not included in the neighbor search message (i.e., the message is sent from the start node), $\theta$ is calculated as the angle with the $x$-axis where the origin is fixed at $M_t$. When $M_q = M_p$, $\theta$ is $2\pi$; i.e., $T = t_m$. As Equation (4.2) shows, $T$ decreases as the angle of $\angle M_q M_t M_p$ decreases.

5. When $T$ has passed at $M_p$, the node transmits a response message, including its own ID, to the sender of the neighbor search message, $M_t$.

6. When $M_t$ receives a response message for the first time, if it is the start node (i.e., the query path forms a loop), it initiates a reply to the query-issuing node, according to Step 8. Otherwise, $M_t$ transmits a query forwarding message to the sender of the response message. This message includes the query-issuing node’s ID ($M_s$) and location, and the tentative result. Meanwhile, the nodes that overhear the response message stop sending their response message.

7. The node, $M_p$, which receives the query forwarding message, becomes the new query holder, and the procedure returns to Step 2.

8. The start node replies, with the tentative result as the final result, to the query-issuing node, using the geo-routing method described in Section 4.3.2, where the target point is set to the location of the query-issuing node.

Figure 4.4 shows an example of executing the LW method, where $M_6$ receives a query forwarding message from $M_7$. First, $M_6$ broadcasts a neighbor search message to its neighboring nodes. When $M_4$ ($M_5$, $M_7$) receives the message from $M_6$, it sets $T$ based on $\angle M_7 M_6 M_4$ (5,7) (see Figure 4.5). Since $M_4$ has set the smallest $T$, because $\angle M_7 M_6 M_4 < \angle M_7 M_6 M_5(7)$, $M_4$ is first to transmit a response message to $M_6$, when $T$ has passed. When $M_6$ receives the response message from $M_4$, it transmits a
query forwarding message, with the information on \( M_7 \) and itself, to \( M_4 \). Here, \( M_5 \) and \( M_7 \) (both of which have received the response message) stop sending their response message. When \( M_4 \) receives the query forwarding message from \( M_6 \), it becomes the query holder, and transmits a neighbor search message. At the same time, it updates the tentative result, which includes the information on \( M_4 \) and \( M_7 \), because \( M_6 \) is not a vertex node of the convex hull since \( \angle M_4 \ M_6 \ M_7 < \pi \). These procedures are repeated until the query is transmitted to the start node.

The LW method can acquire the information on the convex hull vertex nodes of a given network with lower traffic than the LCH method, because here queries are forwarded only to the boundary nodes of the entire network. It is also expected that the
response time would be reduced, because nodes select subsequent forwarding nodes by setting $T$ based on the respective angles, without acquiring the information on all neighboring nodes.

### 4.4 Simulation Experiments

In this section, we discuss the results of simulation experiments evaluating the performance of our proposed methods. For the simulation experiments, we used the network simulator QualNet5.2[66].

#### 4.4.1 Simulation Model

The number of mobile nodes in the entire system is $n (M_1, \ldots, M_n)$. These mobile nodes are present in an area of $1,000[m] \times 1,000[m]$, and move according to the random walk model [8], with a movement speed randomly determined from 0.1 to $v[m/sec]$. Mobile nodes transmit messages using an IEEE 802.11b device with a data transmission rate of 11[Mbps]. The transmission power of the mobile nodes is determined such that the radio communication range is about 100[m]. Packet losses and delays occur due to radio interference. We assume that each node knows its current location. The above setting on the network is basically same as that in Section 2.5.1. $\alpha$ in Equation (4.1) and $t_m$ in Equation (4.2) are respectively set as $(1.0 + n/250)$ and 0.07, based on our preliminary experiments.

We compare the performance of our proposed LCH and LW methods with that of a naïve method. The node behavior in the naïve method is similar to that in the LCH method, except that, in the former, relay nodes transmit the information on all the nodes (i.e., without calculating the local convex hull). In the naïve method, $\alpha$ is set to either $(1.0 + n/250)$ or $2(1.0 + n/250)$, to evaluate the impact of the waiting time for reply. In the graphs, the naïve method with these $\alpha$ values is denoted as ‘Naïve’ and ‘Naïve (double)’, respectively.

In the above simulation model, we randomly determine the initial position of each mobile node. The query-issuing node, randomly chosen among all nodes, issues a convex hull query. We repeat this process 200 times (i.e., 200 queries) for every 10 seconds, and evaluate the following four criteria.
4.4. SIMULATION EXPERIMENTS

• Traffic

We examine the total volume of query messages and replies exchanged in processing a query. Table 4.1 shows the size of messages used in our methods and the naïve method, where $p$ denotes the number of nodes whose information is included in the reply. We define ‘traffic’ as the average of the total volume of respective queries issued.

• Response time

We examine the time from the transmission of a query message by the query-issuing node, to the reception of the result. In the naïve method, the response time is defined as the time from the query-issuing node’s transmission of a query message, to its reception of the last reply message. (Note that, in a real environment, the query-issuing node cannot recognize which reply is the last one.) We define ‘response time’ as the average of such times for all queries issued.

• Accuracy of query result

We examine the ratio of the number of vertex nodes whose information is included in the result acquired by the query-issuing node, to that of all the vertex nodes of the convex hull (i.e., the complete answer). We define ‘accuracy of query result’ as the average of the query result for all queries issued.

• Area accuracy

We examine the ratio of the area of the convex hull of nodes whose information is included in the result acquired by the query-issuing node, to the area of the real convex hull of nodes (i.e., the complete answer). We define ‘ratio of calculated area’ as the average of such an area for all queries issued.

4.4.2 Impact of node number $n$

First, we examine the performance of our proposed methods with varying number of nodes $n$. Figure 4.6 shows the simulation results. In these graphs, the horizontal axis indicates the number of nodes $n$, and the vertical axis indicates the traffic in Figure
Table 4.1: Message types and sizes

<table>
<thead>
<tr>
<th>Type</th>
<th>Size [B]</th>
</tr>
</thead>
<tbody>
<tr>
<td>Query</td>
<td>64</td>
</tr>
<tr>
<td>Neighbor search (LW method)</td>
<td>48</td>
</tr>
<tr>
<td>Response (LW method)</td>
<td>16</td>
</tr>
<tr>
<td>Query forwarding (LW method)</td>
<td>64 + 32p</td>
</tr>
<tr>
<td>Reply</td>
<td>64 + 32p</td>
</tr>
<tr>
<td>Ack to the received reply</td>
<td>16</td>
</tr>
</tbody>
</table>

Figure 4.6: Impact of node number $n$
4.4. SIMULATION EXPERIMENTS

4.6(a), the response time in Figure 4.6(b), the accuracy of the query result in Figure 4.6(c), and the area accuracy in Figure 4.6(d).

From Figure 4.6(a), it can be seen that our proposed methods significantly reduce traffic compared with the naïve method. Of the two methods, the LW method generates the lowest traffic. These results show the effectiveness of our methods. As \( n \) increases, the traffic in the LCH and naïve methods increases. This is because, in these methods, a query is sent to all nodes in the network. In addition, in the naïve method all nodes reply with their location information, which results in significant traffic, especially when the number of nodes is large. In contrast, in the LW method, even if \( n \) increases, the traffic is almost constant. This is because the query is transmitted only to nodes which are on the outer boundary, and thus the traffic basically depends on the number of hops in the query path, not on the number of nodes in the network. When \( n \) is 250 (i.e., the density of nodes is low), the traffic is slightly higher since the chances of message retransmission increase due to frequent link disconnection.

From Figure 4.6(b), as \( n \) increases, the response time in the LCH and naïve methods increases. This is because the waiting time for reply is set based on the number of nodes, to avoid reply message collisions. In contrast, in the LW method the response time is almost constant regardless of \( n \). This is due to the same reason as described above. As a result, the LW method results in the shortest response time when the number of nodes is large.

From Figure 4.6(c), the accuracy of the query result in the LCH method is very high, while that in the LW method is slightly lower. This is because, in the LW method, the accuracy of the query result decreases due to frequent link disconnections during query transmission. Especially when \( n \) is 250 (i.e., the density of nodes is low), the accuracy of the query result decreases because the chances of link disconnection increase. The accuracy of the query result in the naïve method is lower than in our proposed methods. This is because message collisions often occur, due to the large size of reply messages. When \( n \) is large, the accuracy of the query result is especially low, as message collisions occur more frequently. Here, if the query-issuing node can accept a long waiting time for acquiring the result (i.e., ‘Naïve (double)’ in the graph), the accuracy of the query result increases because the chances of collision decrease; however, in this case the response time increases, of course, as shown in Figure 4.6(b).

From Figure 4.6(d), the area accuracy is very high in our proposed methods. In the
CHAPTER 4. DETECTING THE CONVEX HULL

LW method, when $n$ is 250, the area accuracy slightly decreases (i.e., the query-issuing node determines a smaller convex hull than the actual one). This is because a vertex node is sometimes geographically isolated due to low node density, and thus the query-issuing node cannot acquire the information on it. In contrast, in the na"ive method, as $n$ increases, the area accuracy typically decreases due to more frequent packet losses, which results in a significant difference in area accuracy between the na"ive method and those proposed here.

4.4.3 Impact of node speed $v$

We examine the performance of our proposed methods with varying node speed. Figure 4.7 shows the simulation results. In these graphs, the horizontal axis indicates the maximum speed of nodes, $v$, and the vertical axis indicates the traffic in Figure 4.7(a), the response time in Figure 4.7(b), the accuracy of the query result in Figure 4.7(c), and the area accuracy in Figure 4.7(d).

From Figure 4.7(a), the traffic is nearly constant, regardless of the nodes’ speed, in all the methods. Similar to the results in Figure 4.6(a), our methods produce significantly lower traffic than the na"ive method.

From Figure 4.7(b), the response time is also nearly constant in all the methods. This is because, in the LCH and na"ive methods, the response time depends on $\alpha$, whereas in the LW method it depends on $t_m$.

From Figure 4.7(c), the accuracy of the query result in the LCH and na"ive methods is nearly constant, regardless of $v$. Especially in the LCH method, the accuracy of the query result is very high, even when $v$ is large. On the other hand, in the LW method, the accuracy of the query result, though still high, decreases as $v$ increases. This is because this method requires more time to forward query messages than the other methods, and thus there is a greater probability that the set of vertex nodes of the convex hull will change during query transmission.

From Figure 4.7(d), the area accuracy is nearly 1 in our proposed methods. The LW method achieves an area accuracy of nearly 1, even when $v$ is large, though the accuracy of the query result is slightly lower, as shown in Figure 4.7(c). This shows that even if the set of vertex nodes of the convex hull changes due to node movement, which decreases the accuracy of the query result, the geographical area of the convex
4.5 Convex Hull Detection for Location-Dependent Data

As we described in Chapter 3, the search targets of queries are not only nodes themselves but also data items which nodes hold. When a node wants to know a convex hull of data items which satisfy some conditions which the node specifies (e.g., the score of data items is over 40), it is useful to use convex hull queries in a MANET. Therefore, the convex hull remains almost same, meaning that the query-issuing node can relatively accurately ascertain the area of the convex hull.

Figure 4.7: Impact of node speed $v$
we here discuss convex hull queries for data items.

There are two types of convex hulls for data items. One type is the convex area where all data items which satisfy the specified condition are associated (i.e., the search target is associated locations of data items). For example, a node can know the area where an infectious disease occurs by knowing data items on the patients with the disease. The query-issuing nodes can easily detect this type of convex hulls by using the LCH method.

The other type of convex hulls is the area where there exist all nodes which have data items which satisfy the specified condition (i.e., the search target is locations of nodes). It is useful to detect such an area because nodes can use the convex hull detection as the first step for acquiring necessary data items, since nodes can acquire necessary data items by searching the detected area. If neighboring nodes have the target data items, the convex hull enclosing all requested data items becomes small, which makes small traffic and time for searching. Therefore, efficient data management, i.e., placement of data items and copies, is key challenges. For this aim, the method proposed in [65] can be used with some modification. In this method, a region is divided into some areas, and the nodes within each area determine data items to allocate based on the scores of data items. By doing so, the query-issuing nodes can acquire necessary data items without flooding within the entire network.

As mentioned above, convex hull query processing for data items in MANETs can be processed by using some existing methods, and we omit the detail of how to achieve this.

4.6 Conclusion

In this chapter, we have proposed two methods for processing convex hull queries in MANETs, which aim to reduce traffic and response time while maintaining high accuracy of the query result. In these methods, nodes reply with information on nodes which are vertices of the convex hull composed of nodes whose information has already been acquired. In the LCH method, the query-issuing node first floods a convex hull query throughout the entire network. Then, each node replies with information on nodes which are the vertices of the local convex hull, which is a convex hull composed
of nodes whose information has already been received. In the LW method, the query-issuing node first sends a convex hull query to a node located on the outer boundary of the network, using a geo-routing technique. Then, the query is transmitted only to nodes on the outer boundary, until the query path forms a loop. In this way, the convex hull can be determined without acquiring the information on all nodes in the network.

The experimental results show that our proposed methods reduce the traffic and response time in comparison with the naïve method, and also achieve high accuracy of the query result. More specifically, the LCH method achieves high accuracy of the query result regardless of the number of nodes and node speed. On the other hand, the LW method achieves the best performance when the number of nodes is large, because queries are transmitted only to nodes with a high probability of being included in the query result.

In the LCH method here described, though the accuracy of the query result is high, the traffic becomes large when the number of nodes is large, because all nodes relay a query. We thus plan to extend the LCH method, to reduce the traffic required for query transmission, while ensuring the reception of the query by all nodes.
Chapter 5

Summary

5.1 Summary of Contributions

In this thesis, we have discussed query processing methods for location-based services in MANETs. In Chapter 1, we presented the importance of location-based services (i.e., $k$NN and convex hull query processing) in MANETs and made clear research issues for achieving efficient query processing.

In Chapter 2, we have proposed two beacon-less query processing methods for searching $k$ nearest neighbor nodes in MANETs. In these methods, the query-issuing node first forwards a $k$NN query using geo-routing to the nearest node from the query point. Then, the nearest node from the query point forwards the query to other nodes close to the query point, and each node receiving the query replies with the information on itself. In this process, we adopt two different approaches: the Explosion (EXP) method and the Spiral (SPI) method. In the EXP method, the nearest node from the query point floods the query to nodes within a specific circular region, and each node receiving the query replies with information on itself. In the SPI method, the nearest node from the query point forwards the query to other nodes in a spiral manner, and the node that collects a satisfactory $k$NN result transmits the result to the query-issuing node. The experimental results have shown that our proposed methods reduce traffic for query processing and achieve high accuracy of the query result, in comparison with existing methods.

In Chapter 3, we have focused on query processing for retrieving the $k$ nearest
location-dependent data items from the location of the query issuer in MANETs. We have proposed the Filling Area (FA) method, which aims at reducing traffic and maintaining high accuracy of the query result. In the FA method, to achieve a small search area, data items remain at nodes near the locations with which the items are associated, and nodes cache data items whose locations are near their own. When a node issues a query, neighboring nodes send back their copies, which will be likely included the query result, with avoidance of duplicate data items being sent back. The experimental results have shown that the FA method reduces the traffic involved in processing $k$NN queries, and also achieves high accuracy of the query result.

In Chapter 4, we have proposed two convex hull query processing methods for reducing traffic while maintaining high accuracy of the query result in MANETs. By using convex hull queries, the query-issuing node can determine the convex hull of the network, which helps to know both the convex area in which nodes are present, and the farthest pair of nodes. In our proposed methods, nodes reply with information on nodes which are convex hull vertices. In the Local Convex Hull (LCH) method, nodes reply with information on nodes which are vertices of the local convex hull, which is the convex hull composed of nodes whose information has already been received. In the Local Wrapping (LW) method, the query is transmitted only to nodes on the outer boundary. The experimental results have shown that our proposed methods reduce traffic and high accuracy of the query result, in comparison with a naïve method. In addition, we have discussed convex hull query processing for location-dependent data.

In summary, our proposed methods can reduce traffic for query processing, and also achieve high accuracy of the query results for location-based services in MANETs. Especially, we have designed our methods as beacon-less methods (i.e., nodes do not require exchanging messages including node information), which are suitable for MANETs. This achievement will contribute to increase the availability of MANET services.

5.2 Future Work

Through this thesis work, we found the following remaining issues open to our future work.
5.2. FUTURE WORK

5.2.1 Short Response time

In MANETs, location-specific information (e.g., $k$NNs from a given query point and vertex nodes of a given convex hull) may change during query processing, because nodes move freely; and when the network topology changes during query execution, the query-issuing node may not be able to acquire fully accurate query answer. To avoid this, we have designed our methods to execute a query using only one round of message transmissions in order to acquire the query result in a short time. The experimental results have also shown that the response time in our methods proposed in this thesis is around a few seconds, which is enough small while achieving high accuracy of the query result.

However, in a real environment, users require to acquire the query results in a short period of time as possible, especially, when a network becomes larger and the response time for query processing tends to be longer. Therefore, we plan to extend our methods for minimizing response time.

5.2.2 Continuous Query Processing

In this thesis, we have assumed that queries attempt to acquire $k$NNs and determine the convex hull only once (i.e., snapshot queries). However, in a real environment, the query-issuing node may wish to continuously monitor $k$NNs or the convex hull of the entire MANET, since location-specific information may change due to node mobility, and new generation (insertion), update, and delete of location-dependent data items [10, 11, 13, 14, 22, 68, 80, 81, 84].

In a naïve approach, the query-issuing node repeatedly send queries over the network. However, even if the query-issuing node frequently processes queries to accurately know the changing answer sets, it may not be able to acquire fully accurate query results because the change may occur during the interval of query processing, although the traffic for sending query and reply messages increases. We thus plan to extend our proposed methods to enable continuous monitoring of the $k$NNs and convex hull (i.e., continuous query processing).
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REFERENCES


[89] ZigBee Alliance: http://www.zigbee.org/.