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## CORRECTION TO A BOUNDARY LINK IS TRIVIAL IF THE LUSTERNIK-SCHNIRELMANN CATEGORY OF ITS COMPLEMENT IS ONE

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We found an error in the proof of Theorem 1 of [3]. The error occurs in the 19 and 20-th line from the top on page 336. There exist no elements  $v_i \in H_*(t_i B'_{\beta_0})$  such that  $j_b(t_i z_0) = \sum_{i=1}^{l-1} (t_i - 1)v_i$  and Assertion 4.1 is false. Nevertheless Theorem 1 remains true. This follows from the theorem 1 of [4] which assures that the link complement  $S^{n+2} - L$  of a locally flat link  $L$  has the homotopy type of  $(\bigvee_m S^1) \vee (\bigvee_{m-1} S^{n+1})$  if  $\text{cat}(S^{n+2} - L) = 1$  and the unlinking criterion of boundary links due to Gutiérrez ([2] for  $n \geq 4$  and [1] for  $n = 3$ ). Note here that any smooth link is locally flat.

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### References

- [1] S. Cappell: *A splitting theorem for manifolds*, Invent. Math. **33** (1976), 69–170.
- [2] M.A. Gutiérrez: *Boundary links and an unlinking theorem*, Trans. Amer. Math. Soc. **171** (1972), 491–499.
- [3] K. Komatsu: *A boundary link is trivial if the Lusternik-Schnirelmann category of its complement is one*, Osaka J. Math. **29** (1992), 329–337.
- [4] K. Komatsu: *On links whose complements have the Lusternik-Schnirelmann category one*, (to appear) in Hiroshima Math. J. **24**, No. 2 (1994).

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